Iron Abundance in the Solar Photosphere: The Role of Ions, Non-LTE, Model Atmospheres, Oscillator Strengths, and Free Parameters

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IRON ABUNDANCE IN THE SOLAR PHOTOSPHERE: THE ROLE OF IONS, NON-LTE, MODEL ATMOSPHERES, OSCILLATOR STRENGTHS, AND FREE PARAMETERS

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ABSTRACT

The photospheric iron abundance is important to understanding solar system formation and evolution, but methodological designs in the literature have produced significantly different abundance estimates. 322 original photospheric iron abundances were extracted from 72 primary publications identified through SAO/NASA Astrophysics Data System and Google Scholar. Methodological characteristics corresponding to each abundance estimate were categorised, including the ion studied, local thermodynamic equilibrium (LTE) assumption, the atmospheric model and its dimensions, the source of oscillator strengths, and microturbulence velocity. A linear mixed-effects regression model was implemented to quantify the role these variables play in abundance estimates. The mean photospheric iron abundance across all sources was 7.44 ± 0.02 dex on the astronomical log scale. On the average, abundance estimates from Fe II lines were $0.106^{+0.061}_{-0.061}$ dex higher than those from Fe I lines (main effect), after controlling for other factors. Compared to LTE estimates, NLTE estimates were higher by $0.096^{+0.073}_{-0.074}$ dex (main effect). The role of LTE was different for neutral and ionised iron analyses. LTE abundance predictions were *lower* than NLTE predictions for Fe I, but *higher* than NLTE predictions for Fe II. Other differences are described for various model atmospheres and oscillator strengths. A subgroup analysis of 264 1D and <3D> model abundances suggests every 0.1 km s^{-1} increase in the microturbulence velocity parameter results in a 0.04 dex decrease in estimated abundance.

1. INTRODUCTION

In the late 19th century, spectroscopic observations of absorption lines in the solar spectrum revealed the presence of 38 elements in the Sun (Rowland 1895). The first qualitative attempts to estimate the solar abundance of these elements were made by Russell (1914) and Moore & Russell (1926). With the advent of ionization theory (Saha 1920; Saha & Fowler 1921; Fowler & Milne 1923), Payne (1925) produced the first quantitative estimates of the abundance of elements in the solar environment. Russell (1929) also produced new abundance estimates by calibrating Rowland intensities. However, the findings of Payne and Russell were limited in accuracy by numerous simplifying assumptions, and in the case of the latter, use of an arbitrary scale.

In the years that followed, the ‘equivalent width’ was developed as a metric for relating absorption line properties to abundances, first implemented by Minnaert & Slob (1931). ‘Curve of growth’ methods with one-dimensional model atmospheres and local thermodynamic equilibrium (LTE) became the dominant source of abundance estimates in the literature from the 1950s, until the 1990s when two- and three-dimensional models were introduced (Atroshchenko & Gadun 1994; Gadun & Pavlenko 1997). More recently, non-LTE (NLTE) abundance estimates have been published by Scott et al. (2015), Sitnova et al. (2015), Lind et al. (2017), Asplund et al. (2021), and Magg et al. (2022).

To date, dozens of articles on the photospheric iron abundance have been published, some controversially. Debate over the iron abundance was particularly intense in the 1990s with commentaries on articles (Holweger et al. 1995), commentaries on commentaries (Blackwell et al. 1995), and article titles such as ‘The solar abundance of iron: a “final” word!’ (Biemont et al. 1991) and ‘The solar iron abundance: not the last word.’ (Kostik et al. 1996). Much of this debate centred around the

source of oscillator strengths used in abundance estimates, namely those measured by A. Bard, M. Kock, and co-authors at Kiel and Hannover, which resulted in ‘low’ iron abundances consistent with meteoritic iron, and those by D. E. Blackwell and co-authors at Oxford, which resulted in ‘high’ abundances ($\gtrsim 125\%$ meteoritic). Grevesse & Sauval (1999) suggest the cumulative effects of different choices for free parameters and oscillator strengths by these groups account for the high-low discrepancy. This raises the general question of what role oscillator strengths, free parameters, and other variables have played across the entire literature.

Understanding these aspects of abundance estimates is not immaterial. In general, accurate determinations of the relative elemental abundances are crucial to understanding solar system formation (McSween & Huss 2010) and evolution (Kippenhahn et al. 2012). Outstanding problems involving the abundances include the First Ionization Potential (FIP) bias problem (Meyer 1985), which remains incompletely understood (Laming 2015; Prieto 2016), and discrepancies between observed primordial abundances and theoretical abundance predictions from Big Bang nucleosynthesis (Fields 2011). The abundance of iron is of particular importance because the iron abundance of a star is indicative of its overall metallicity (Asplund et al. 2009). Thus, better understanding of abundance methodology is necessary to answer open questions in astrochemistry.

The present study represents a secondary analysis of the photospheric iron abundance literature, which quantifies the impact of study design on abundance estimates. Specifically, statistical modelling is implemented to examine the roles of ions, LTE, model atmospheres, oscillator strengths, and microturbulence velocity.

2. METHODS

2.1. Data

Data were collected from peer-reviewed publications returned from SAO/NASA Astrophysics Data System (ADS) and Google Scholar searches for ‘solar iron abundance’. Additional articles were collected from references within the initial search results. Review articles which merely cited other abundance estimates and did not produce original abundance determinations, as well as proposed corrections for previously published abundance determinations, were excluded from analyses such that only primary sources were included. Additionally, the pioneering works of Payne (1925, with iron abundance 5.8 on the astronomical log scale), Russell (1929, 7.7), Menzel (Goldberg & Aller 1943, 6.99), Unsöld (1945, 7.97) and Unsöld (1948, 7.26) were excluded because their methods differ so substantially from the remaining literature that comparisons are not informative.

Photospheric iron abundances on the astronomical log scale with Hydrogen abundance $A_{12}(H) = 12$ were extracted from the identified publications, and the corresponding methodological characteristics from each study were categorised as follows.

1. The particular iron ion used was categorised as neutral iron (Fe I), singly ionised iron (Fe II), or both (Fe I & Fe II).
2. Abundance estimates which assumed local thermodynamic equilibrium, that the electron temperature and excitation temperature are equal (Müller 1966), were categorised as LTE. Those that did not were categorised as non-LTE (NLTE).
3. The dimensions of the model atmosphere were categorised as one-dimensional (1D), two-dimensional (2D), three-dimensional (3D), or mean three-dimensional ($\langle 3D \rangle$), where the latter refers to 3D models averaged spatially (over horizontal layers/surfaces) and temporally.
4. The model atmospheres of Holweger (1967), Holweger & Müller (1974), and modifications were categorised as HM. The atmospheres of Edvardsson et al. (1993), Asplund et al. (1997), and Gustafsson et al. (2008) were categorised as MARCS. The atmospheres of Fuhrmann et al. (1997), Grupp (2004), and Grupp et al. (2009) were categorised as MAFAGS. The Harvard-Smithsonian Reference Atmosphere of Gingerich et al. (1971), as well as Lites (1972) and Lites (1973), were categorised as HSRA. The atmospheres of Kurucz (1970), Kurucz (1992), and Kurucz (1993) were categorised as ATLAS. All other model atmospheres were categorised as ‘Other.’
5. Oscillator strengths published by authors at Oxford (Blackwell et al. (1975), Blackwell et al. (1976), Andrews et al. (1979), Blackwell et al. (1979), Blackwell & Shallis (1979), Blackwell et al. (1980), Blackwell et al. (1982a), Blackwell et al. (1982b), Blackwell et al. (1984), Blackwell et al. (1986), and Blackwell et al. (1995)) and Kiev (Gurtovenko & Kostik (1981) and Gurtovenko &

Kostik (1989)) were categorised as Oxford/Kiev. Oscillator strengths published by authors at Kiel and Hannover (Garz & Kock (1969), Kock et al. (1984), Bard (1989), Heise & Kock (1990), Bard et al. (1991), Bard & Kock (1994), Schnabel et al. (1999), Schnabel et al. (2004)) were categorised as Kiel/Hannover. Oscillator strengths published by C.H. Corliss and co-authors (Corliss & Bozman (1962), Corliss & Warner (1964), and Corliss & Tech (1968)) were categorised as Corliss. The oscillator strengths of Meléndez & Barbuy (2009) were categorised as Meléndez and Barbuy. All other oscillator strength sources, including combinations of the above categories, were categorised as ‘Other.’

6. For 1D and $\langle 3D \rangle$ models, the microturbulence velocity parameter was recorded as a continuous variable in units of km s^{-1} .

The above categories were not selected arbitrarily. Rather, they represent the groupings of data with the largest number of abundance estimates. Because there are many obscure model atmospheres and oscillator strengths with few abundance determinations, the ‘Other’ categories are designed to prevent over-fitting from multi-level categorical variables (Babyak 2004). Green (1991) suggests a maximum number of predictors in multiple regression of $m = \frac{N-50}{8}$, where N is the sample size (in this case, the number of abundance determinations lifted from the literature). Later in 3 it is shown that the sample size of the present study is sufficient for the above categories according to Green’s rule.

2.2. Model

Data were analysed with a linear mixed-effects regression model of the form

$$\mathbf{A} = \mathbf{X}\boldsymbol{\beta} + \mathbf{Z}\mathbf{u} + \boldsymbol{\epsilon}, \quad (1)$$

where $\mathbf{A}$ is the column vector of photospheric iron abundance estimates from the literature, $\mathbf{X}$ is the design matrix of predictors (variables 1–5 of 2.1), $\boldsymbol{\beta}$ is the column vector of fixed-effect regression coefficients, $\mathbf{Z}$ is the design matrix of random effects, which are the publications from which abundance estimates are taken, $\mathbf{u}$ is the column vector of random effect coefficients, and $\boldsymbol{\epsilon}$ is the column vector of the residuals. The random effects account for some confounding not controlled by the predictors. The categorical variables (1–5) are treated with dummy/indicator variables in the model, and an additional interaction term was included to quantify the relationship between neutral and ionised iron, and LTE. In the primary model with all abundance estimates, the microturbulence velocity variable was not included because 2D and 3D models do not have this parameter. However, a subgroup analysis of just 1D and $\langle 3D \rangle$ abundances was conducted with all variables including microturbulence. To be clear, this is not a model which relates iron abundance to year of publication, but one which relates iron abundance to the methods used to derive each iron abundance estimate in each publication (variables 1–6 of 2.1).

No attempt is made to weight data in the model by the uncertainty or error quoted for each abundance estimate. This is primarily because methods used to esti-

mate uncertainty vary across the literature. Some studies present the standard deviation for the set of lines studied, some multiply this by two, and others estimate the standard error on the mean abundance (standard deviation divided by square root of the number of lines). These methods often provide overly optimistic performance assessments (as low as 0.002 dex!) Yet others provide more conservative error estimates not based on any of the above methods. Thus, weighting abundance estimates by quoted error would not be informative.

All analyses were conducted in Python version 3.8.8 with the packages numpy version 1.20.1, pandas version 1.2.4, matplotlib version 3.3.4, scipy version 1.6.2, and statsmodels version 0.12.2. All data and code prepared are available by request.

3. RESULTS

A total of 72 primary source articles with iron abundance determination were identified through ADS and Google Scholar searches and citations therein. The oldest of these is Claas (1951), and the most recent are Asplund et al. (2021) and Magg et al. (2022). 322 original abundance estimates were extracted from all articles total. According to Green’s rule, this sample size allows for $m = \frac{322-50}{8} = 34$ regression predictors. The number of predictors in the present model does not exceed Green’s number.

The abundance estimates are plotted against publication year in Figure 1. Estimates have varied widely over time, concentrating in recent years between $A_{12}(Fe) = 7.4$ and 7.5 dex. Across all primary sources, the mean photospheric iron abundance $\pm$ standard error is 7.44 $\pm$ 0.02 dex.

Figure 1. Iron abundance estimates from the primary literature plotted against year of publication. Abundances are expressed on the astronomical log scale on which the relative hydrogen abundance $A_{12}(H) = 12$. The average iron abundance (7.44 dex) is shown by the dashed line.

Results from the primary regression model are found in Table 1. On the average, iron abundance estimates which analysed Fe II lines were significantly higher than those derived from Fe I lines by $0.106^{+0.061}_{-0.061}$ dex (main effect), after controlling for other factors. Although the coefficient for Fe I & Fe II based abundances was not statistically significant, its value of 0.075 dex lies between zero and the Fe II coefficient of 0.106 dex, which is logical. Compared to LTE estimates, NLTE estimates were significantly higher by $0.096^{+0.073}_{-0.074}$ dex (main effect). The interaction term between ion and thermodynamic assump-

tion was also significant. The combined effect of ion and LTE on abundance is most intuitively quantified through out-of-sample predictions from the model. For two hypothetical abundances both derived from Fe I lines with the 1D HM model atmosphere and the Kiel/Hannover oscillator strengths, the LTE abundance prediction is *lower* than the NLTE prediction by approximately 0.1 dex. For the same model and oscillator strengths now with abundances derived from Fe II lines, the LTE abundance is *higher* than the NLTE prediction by approximately 0.05 dex. These findings suggest a significant difference in the role of LTE for neutral and ionised iron.

TABLE 1
MODEL RESULTS

Variable	Regression Coefficient (95% CI)
Constant	7.480 (7.382 – 7.578)**
Ion	
Fe I	0.000 (Referent)
Fe I & II	0.075 (–0.045 – 0.195)
Fe II	0.106 (0.045 – 0.167)**
Thermodynamics	
LTE	0.000 (Referent)
NLTE	0.096 (0.022 – 0.169)*
Ion $\times$ Thermodynamics	(See text)*
Model Dimensions	
1D	0.000 (Referent)
2D	–0.003 (–0.175 – 0.169)
3D	0.071 (–0.018 – 0.159)
$\langle 3D \rangle$	0.066 (–0.025 – 0.156)
Model Atmosphere	
HM	0.000 (Referent)
ATLAS	–0.055 (–0.141 – 0.030)
HSRA	–0.070 (–0.184 – 0.043)
MAFAGS	–0.052 (–0.190 – 0.087)
MARCS	–0.087 (–0.157 – –0.017)*
Other	–0.122 (–0.185 – –0.059)**
Oscillator Strengths	
Oxford/Kiev	0.000 (Referent)
Kiel/Hannover	–0.066 (–0.178 – 0.046)
Corliss	–0.540 (–0.681 – –0.399)**
Meléndez & Barbuy	–0.087 (–0.217 – 0.043)
Other	–0.071 (–0.160 – 0.018)

* $p < 0.05$, ** $p < 0.001$

Surprisingly, differences in abundance estimates between 1D and 3D model atmospheres were, on the average, not statistically significant after controlling for other variables. Compared to HM-derived abundances, those derived from the ATLAS, HSRA, and MAFAGS model atmospheres were also not significantly different, though abundances with MARCS and Other models were significantly lower by $0.087^{+0.070}_{-0.070}$ dex and $0.122^{+0.063}_{-0.063}$ dex respectively. Finally, abundances from Kiel/Hannover oscillator strengths were lower than those from Oxford/Kiev oscillator strengths by 0.066 dex, however the effect did not reach statistical significance in this model. Corliss oscillator strengths did result in significantly lower abundances than Oxford/Kiev values.

In the subgroup analysis of 264 1D and $\langle 3D \rangle$ abun-

dances, the microturbulence velocity coefficient was $-0.407^{+0.067}_{-0.066}$ dex with $p < 0.001$, implying that every 0.1 km s^{-1} increase in the microturbulence velocity parameter results in a significant decrease in the abundance estimate by approximately 0.04 dex.

An assessment of the performance of the model follows. Figure 2 shows model diagnostics by way of residuals, those being the differences between actual abundance estimates and the model’s predictions. Figure 2A visualises the actual and predicted abundances, showing that for most estimates predictions were accurate. The least accurate predictions were for the very lowest and the two very highest abundance estimates. The histogram in Figure 2B suggests the residuals are approximately normally distributed with a mean of zero, therefore the underlying model assumption of linearity is valid.

Figure 2. Model diagnostics. A: Actual iron abundance determinations from the primary literature plotted in ascending order with their corresponding model predictions. B: Histogram of residuals (difference between actual abundance from the primary literature and model abundance prediction). The number of bins follows the Freedman–Diaconis rule (Freedman & Diaconis 1981).

4. DISCUSSION

In this study, an attempt was made to quantify the role of various methodological characteristics of iron abundance estimates in the published literature by way of a statistical model. The largest differences are accounted for by the ion studied and the LTE assumption. These two variables also interact such that the effect of LTE on the abundance estimate is opposite for neutral and ionised iron. While the oldest oscillator strengths

from Corliss and co-authors made for significantly lower abundance estimates, differences were far less significant among more modern sources. The effect of choice of model atmosphere was also slight, however increasing values of the microturbulence velocity linearly reduced abundance estimates.

Several limitations should be noted, the first of which is that these findings do not indicate which study designs lead to ‘correct’ abundance estimates, but merely quantify the independent roles study variables play. Second, with limited sample size and low statistical power, non-significant p -values are to be expected. A significant p -value only indicates that an effect is non-zero, and a non-significant p -value is not proof that an effect is zero (Borenstein et al. 2011). This needs emphasising because the results of the present study do not imply that choices of model atmospheres and oscillator strengths have no effect on abundance estimates. Rather, the power of the present study was not sufficient to detect these effects of the order of 0.01 dex if they do exist. Third, the present results may be confounded by additional covariates which were not modelled, for example the wavelengths, excitation energies, equivalent widths, and $\log(gf)$ values corresponding to each line in each study. These are difficult to categorise because they are often not well reported. Rather than being a final ‘final’ word on the photospheric iron abundance, the present study serves as a reminder that careful consideration of study design is required in astrochemical abundance research. Researchers must be prepared to justify design decisions.

In their semi-recent compilation of solar photospheric abundances, Palme et al. (2014) recommend $A_{12}(\text{Fe}) = 7.48 \pm 0.06$, though this was derived from the mean of a somewhat arbitrary selection of four abundance estimates with the same source of oscillator strengths. The uncertainty of 0.06 dex is a ‘conservative’ estimate. This result is reiterated in the most recent compilation by Lodders (2019), albeit with a less conservative uncertainty of 0.04 dex. The mean abundance across all sources found in the present study, 7.44 ± 0.02 , is consistent with these recommendations, as well as the values most recently reported by Magg et al. (2022) (7.51 ± 0.06) and by Asplund et al. (2021) (7.46 ± 0.04), and with the iron abundance in CI-chondrites (7.45 ± 0.02) (Lodders 2019).

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