

Mathematical and Physical Analysis of the Shooting Techniques of High-pole Throwing Hydrangea

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Research Article

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Posted Date: February 26th, 2021

DOI: <https://doi.org/10.21203/rs.3.rs-274573/v1>

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Mathematical and Physical Analysis of the Shooting Techniques of High-pole Throwing Hydrangea

Abstract: By using the methods of literature and mathematical analysis, the present representative technical theory of high-pole throwing Hydrangea is analyzed, this paper analyzed the technical movements of the high-pole throwing Hydrangea of technology, such as the angle, speed and height of release of the athletes, as well as the running track data of the parabolic arc top height, the range of passing circle and the place of falling of the high-pole throwing Hydrangea champion in the 12th Guangxi Student Games in 2019. The results show that: the range of the angle of release is $64^{\circ} \leq \alpha \leq 72^{\circ}$; when the angle of release is 64° lower limit, the velocity of release is $v_0 \geq 13.04 \text{ m/s}$ lower limit, when the ball reaches the highest point, it passes through the lower edge of the circle. When the angle of release is 72° upper limit, the velocity of release is $v_0 \geq 13.17 \text{ m/s}$, the top of the arc of the ball is 1.8m away from the top of the circle, and it passes through the lower edge of the circle when it falls; when the angle of release is 66° , the velocity of release is $v_0 \leq 13.70 \text{ m/s}$ upper limit and the ball passes through the upper edge of the circle when it rises to the highest point; under the three circumstances, the arc top of the ball does not exceed the circle, and the height from the ground does not exceed 10m. At the same time, it proves the scientificity and reliability of the projection technique of Hydrangea.

Keywords: high-pole throwing Hydrangea, angle of release, speed of release, arc top height

Throwing embroidered balls from the ancient weapon *feituo* painted on the fresco of Huashan mountain and the five-color bag recorded in the Song Dynasty "Xi Mancong Smile" as a way for young men and women in Zhuangxiang to express their love, has developed into today's traditional national sports with a history of more than 2,000 years. He Weidong and Wu Guangjin have done a lot of in-depth studies on the history, culture, sports status and competition rules of throwing embroidered balls. [1][2][3] Yang Qin, Yu Xiaoying et al. demonstrated that the best throwing angle $\approx 65^{\circ}$, the best initial velocity $V_0 = 16.3 \text{ m/s}$, and the best passing point is the center of the passing circle. [4][5][6] The above researches play an important role in promoting the inheritance of Hydrangea culture and the popularization and teaching of Hydrangea throwing, but they are all relatively common guiding thoughts and theories. It is of little significance to participate in the training and competition of high-level sports meeting. At present, there is not a set of training method theory about the technique and tactics of high pole throwing Hydrangea in China. The author set up the Hydrangea team of Guangxi University of science and technology in 2015. After nearly a year of hard training and exploration, the author summed up a set of relatively mature technology and tactical theory of high-pole throw Hydrangea. In the 2016 Guangxi 11th Student Games, the team won the champion of the women's team, the individual champion and the first place in the total

score of the team. Taking part in the 12th Student Games of Guangxi in 2019, the team won the gold medal of men's individual Hydrangea with high stroke, which proved the scientificity and reliability of the projection technology with practice. The author hopes that these successful experiences can be continuously improved to improve the technical and tactical level, and provide scientific and effective theoretical and practical reference for the training, competition and teaching of Hydrangea in colleges and universities.

1 Current situation of research on high-pole throwing Hydrangea technology

1.1 The function that already had technology theory guides practice

After consulting CNKI, it is found that there are few technical teaching, technical and tactical training methods and theories on high pole throwing Hydrangea. that the best throwing angle $=65^\circ$, Among them, the most representative are:the best initial velocity $V_0 = 16.3\text{m/s}$, and the best passing point is the center of the passing circle. ^{[4][5][6]} It was shown in figure 1. These theories have a very good technical and theoretical guidance for the ball to pass the circle smoothly, but the prediction of the highest point of the ball, the falling point of the ball and the next shooting situation is not enough, and the consideration is lack of coherence, so it is lack of guiding significance for high-level games. According to the rules of performance evaluation, the winner is the one with more hits per unit time. According to the dominant factors of competitive ability, high-pole shot Hydrangea belongs to the accuracy item of skill and mental ability. According to the classification of action structure, it belongs to the fixed combination project of multiple action structure and has obvious periodic characteristics. Therefore, according to the rules of the game, we must complete more projection times in unit time and improve the hit rate in order to win the game, which is a test of athletes' psychology, skills and physical fitness.

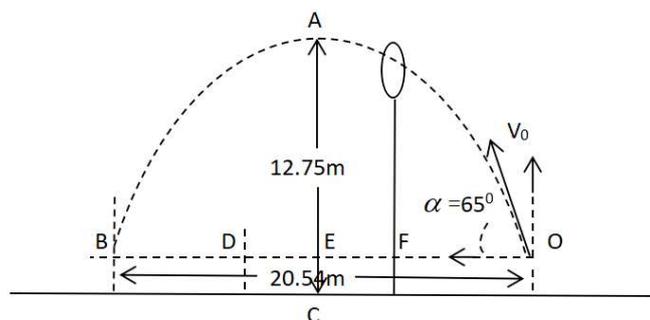


Figure 1 the present best hand angle and speed matching diagram

(1) Arc height of the highest point of the ball flight

The best throwing angle and the best initial velocity are substituted into the formula: $h = v_0 \sin 65^\circ t - 1/2gt^2 = 16.3 \times \sin 65^\circ \times 1.5 - 1/2g \times 1.5^2 = 10.75\text{m}$. When the ball is released from point O, the height from the ground is 2m. When the ball flies the highest point A, the distance from OB is $AE = 10.75\text{m}$, and the distance to the ground AC is $10.75 + 2 = 12.75\text{m}$.

\therefore When the air resistance is neglected, the rising and falling trajectory of the projected parabola are symmetrical to the left and right along the axis AE (as shown in Fig. 1),

\therefore When the ball passes through the top of the arc and falls to point B 2m above the ground, it forms a symmetrical arc trajectory with AE as the central axis with the projection point O. However, the actual landing point needs longer time and distance theoretically.

(2) The horizontal distance between the ball and the projection point O when the ball falls to point B 2m above the ground

$x = v_0 \cos 65^\circ t = 16.3 \times 0.42 \times 3 = 20.54\text{m}$. This means that with the best angle and speed, the ball passes through the center of the circle and continues to fly until it reaches the top of the arc A 12.75m above the ground before falling. The horizontal distance between the symmetrical point B and the projection point at 2m above the ground is $ob = 20.54\text{m}$, while the actual landing point is farther. This representative projection technique can solve several situations of hand projection range and crossing circle, but the height of projection, landing time and horizontal displacement increase, and the whole projection period is prolonged.

1.2 The contradiction between competition rules and existing theories

Players can score points by throwing the Hydrangea over the pitching circle within the specified time. After each throw, they should run to the opposite pitching area to pick up their own ball and continue to throw the circle. The middle circle will get 1 point at a time. In this way, the players can repeatedly throw the ball in the two bowling areas. In the specified time, the number of shots in the middle circle will determine the merits and demerits. ^[5] As shown in Figure 1, from point O to Point B to pick up the ball, he runs $20.54 - 14 = 6.54\text{m}$ more than point D, which is 7m away from the pole. To win the game by running back and forth in the shortest time, it is obviously not the most time-saving and physical method to increase the distance of 6.54m each time to pick up the ball and run back.

The main mistakes in the above calculation are: the ball passing through the center of the circle and reaching the maximum height at the same time are not considered, and the coordination between the vertical component $v_0 \sin$ and the angle of release α is not analyzed. Take the formula $h = v_0^2 / 2g$ for example. The minimum release speed $v_0 = 14.3\text{m/s}$, and the maximum height of rising is $(14 \times \sin 65^\circ)^2 / 2g = 8.1\text{m}$, even if the ball passes through the circle from the

center of the circle at 7.5m, it will continue to rise 0.6m and then fall, which will take longer time and increase horizontal displacement.

The above representative theory is lack of practicability for competition. The height of the arc top of the ball flying, the distance between the falling point and the projection point, the time and physical strength consumed by turning back and running back to the throwing line are not considered comprehensively. Therefore, with the best shooting height, angle and speed, the result is not ideal. In addition, the best angle range α , velocity v_0 range and the matching of the two are not demonstrated.

2 Research and practice innovation of high pole throwing Hydrangea technology

2.1 The assumption of throwing Hydrangea

The player stands at the center line 7m away from the pole. The longitudinal plane formed by the ball projection is directly opposite to the central axis of the pole. The air resistance is ignored. The ball is regarded as a particle and the circle is regarded as a coil without thickness. Because the game is to run back and forth in the shortest time to hit the shot to win, the top height h of the ball should not be too high, and the flying distance x should not exceed 14m. The increase of vertical displacement h means more time-consuming; the increase of horizontal displacement x means that the distance of running is extended, which consumes more physical strength and time. According to the principle of parabola symmetry, the top of the best arc should not exceed the circle. Assuming that the highest point of throwing is 10m, it is the combination of the highest angle and speed to throw the ball from point O to point a 10m high from the level and pass through the inner and lower edge of the circle. AB is the safe range of the upper edge of the projection (as shown in Figure 2). The falling point is close to the opposite side of the pole, which is conducive to saving time and physical strength. When the ball is thrown from the minimum angle to the bottom edge of the circle with a height of 9m, it is the combination of the minimum speed and angle of the shot. Although the landing point is the farthest from point O (due to the symmetry principle, the landing site is near 14m), due to the shorter flight time, it makes up for the lack of longer distance, and also saves time and physical strength, which is conducive to creating excellent competition results.

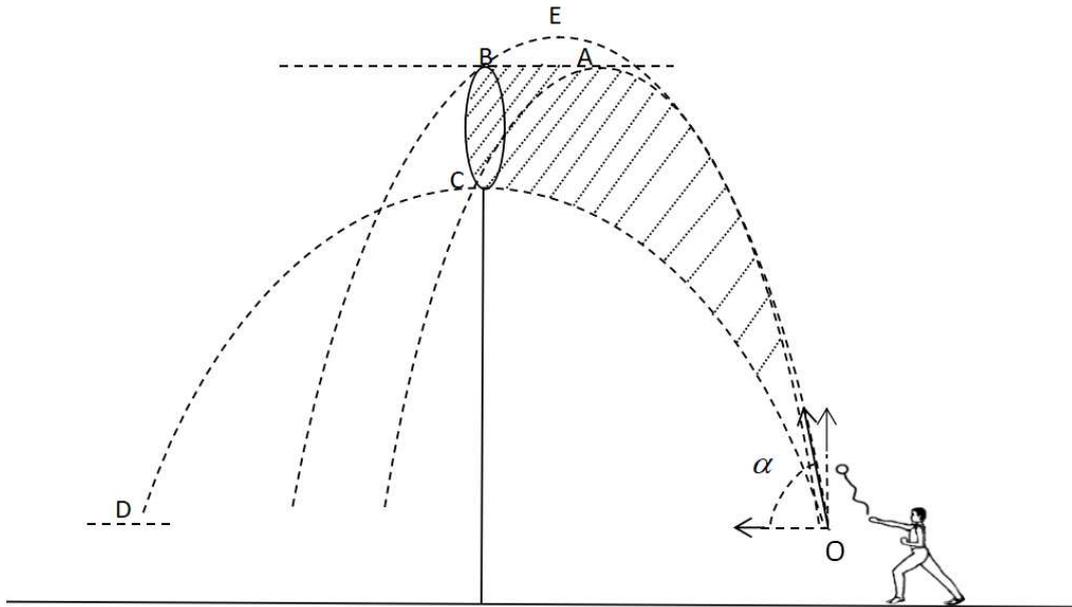


Figure 2 the best angle and speed matching diagram in practice

2.2 Analysis of three cases of ball passing through circle

2.2.1 When the highest point of the ball passes through point C at the lower edge of the circle which is 9m high from the level

Horizontal displacement: $x = v_0 \cos \alpha t$, (1)

\therefore The time from vertical displacement h to circle lower edge and horizontal displacement 7m is the same,

$\therefore h = (9-2) = 1/2gt^2$, the result is $t = \sqrt{14/g}$, (2) The result is: $v_0 \cos \alpha = 7 / \sqrt{14/g}$

vertical displacement: $h = v_0 \sin \alpha t - 1/2gt^2$, the result is: $v_0 \sin \alpha = (h + 1/2gt^2) / t = 14 / \sqrt{14/g}$

(3)

simultaneous (1) (2) (3) : $v_0 \sin \alpha / v_0 \cos \alpha = \tan \alpha = 2$, $\alpha \approx 64^\circ$,

$v_0 \sin \alpha = gt$, the result is $v_0 \approx 13.04 \text{ m/s}$

2.2.2 When the highest point of the ball passes through point B on the upper edge of the circle 10m from the horizontal

$h = 8$, $t = \sqrt{16/g}$, Horizontal displacement is constant, vertical displacement is: $v_1 \sin \alpha_1 = (h + 1/2gt^2) / t = 16 / \sqrt{16/g}$

$/t = 16 / \sqrt{16/g}$

In the same way: $v_1 \sin \alpha_1 / v_1 \cos \alpha_1 = \tan \alpha_1 = 16/7$, the result is $\alpha_1 \approx 66^\circ$, $v_1 \approx 13.70 \text{ m/s}$

2.2.3 When the ball passes through point A 10m from the horizontal and passes through point

C at the inner lower edge of the circle

$h=7\text{m}$, $t_2=(t+t_3)$ The sum of the ascent of 8m to A and the fall of 1m to C is equal to, then $t_2=(\sqrt{16/g}+\sqrt{2/g})$ Horizontal displacement: $7=v_2\cos\alpha_2 t_2$, then $v_2\cos\alpha_2=7/(\sqrt{16/g}+\sqrt{2/g})$ (4)

The vertical displacement to A: $8=v_2\sin\alpha_2 t-1/2gt^2$, then $v_2\sin\alpha_2=8+1/2gt^2$,

Substitute $t=\sqrt{16/g}$, the result is : $v_2\sin\alpha_2=16/\sqrt{16/g}$ (5)

simultaneous (4) (5) : $v_2\sin\alpha_2/v_2\cos\alpha_2=\tan\alpha_2=\frac{16/\sqrt{16/g}}{7/(\sqrt{16/g}+\sqrt{2/g})}=3.09$,

The result is : $\alpha\approx 72^\circ$, $v_2\approx 13.17\text{m/s}$, substitute (4) Calculate the distance between the ball and point B at the top edge of the circle when it reaches the highest point A $AB=7-v_2\cos\alpha_2 t$, from (5) : $v_2=16/\sqrt{16/g}\sin\alpha_2$, $AB=7-16\cos\alpha_2/\sin\alpha_2\approx 1.80\text{m}$



Fig 3 Practice of hing-pole throwing Hydrangea

3 Result analysis

The three situations of the ball passing the pole are all parabola arc top does not exceed the circle, which is conducive to the saving of time and running distance, and can complete the shot more times, which is more conducive to improving the performance of the game.

3.1 When the highest point of the ball passes through the lower edge of the circle, the release angle is the lowest, $\alpha\approx 64^\circ$, and the release speed is the lowest, $V\approx 13.04\text{m/s}$. Although the distance between the falling point D and the projection point O is 14m, the time is the shortest. It takes about 3 seconds from shooting to landing and rebounding to the highest point. After taking the shot, you can easily run to the opposite side, catch the rebound ball, and immediately turn around and throw it. Therefore, this combination of projection angle and speed does not waste time and extend the

running distance, but in the three cases, it belongs to the fastest running requirement. Only by accelerating the speed can we grasp the ball and enter the next throwing cycle when the ball lands and rebounds, instead of bending down to pick up the ball and consume time and physical strength.

3.2 When the arc top of the ball is 10 m and falls through the inner and lower edge of the circle, the distance from the top of the arc to the top of the circle is 1.80 m, and the angle of release is the largest, $\alpha \approx 72^\circ$. The speed of release is 13.17m/s, less than this speed, the ball can not pass through the circle, and higher than this speed, the ball will fall through the arc top E. Therefore, in the maximum angle of release, the speed should be large rather than small. Although the increase of height will prolong the time of falling, it is conducive to running and catching the ball calmly.

3.3 When the top of the ball passes through the upper edge of the circle, the angle of release is $\alpha \approx 66^\circ$, and the velocity reaches the maximum value, $V \approx 13.70\text{m/s}$. This is the combination of angle and speed, which is the farthest and takes the longest time among the three shooting methods. The distance between the landing point D and the projection point O is 14m, which is the same as the first case in 3.1 above, but the time is longer, which is the time consuming for 8m high falling.

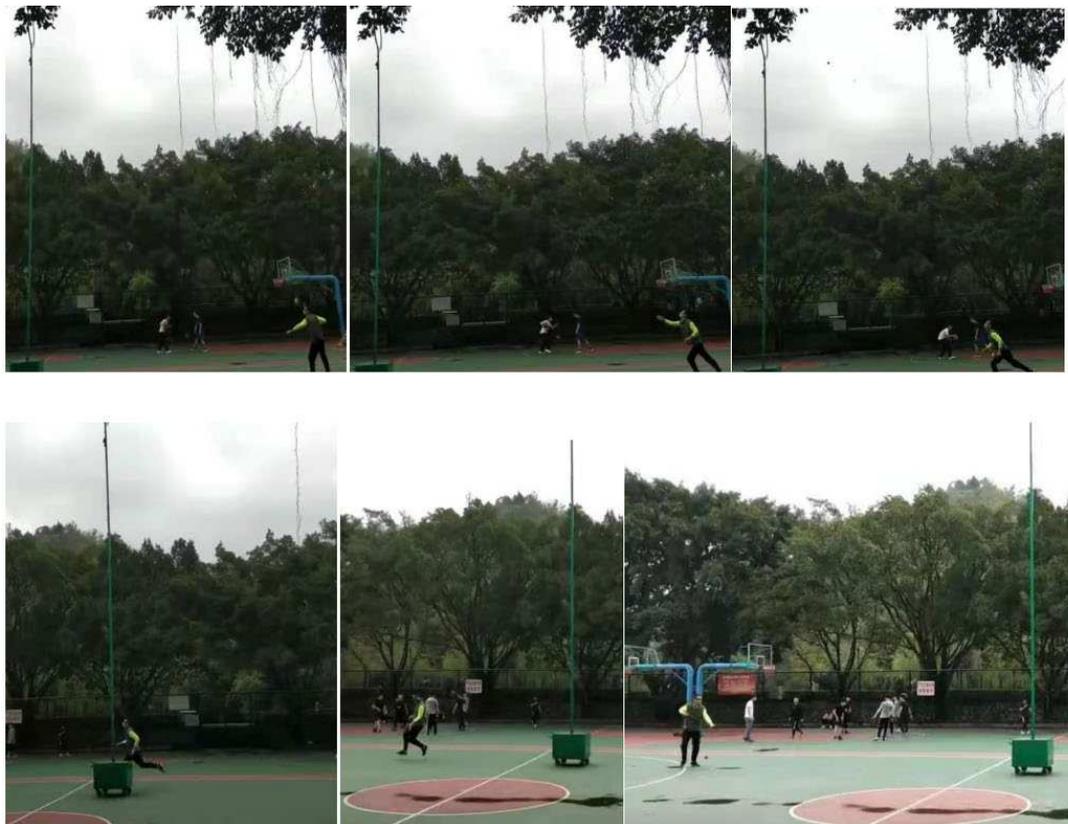


Fig 4 Coach demonstration

4 Suggestions

4.1 The top of the arc of the highest point of the trajectory of the projectile remains on the side of the projective side and does not exceed the circle. According to the symmetry principle, the falling point will be closer to the center of the rod, which is beneficial to shorten the running distance and

reduce the physical consumption.

4.2 The angle of the shot is better high than low, because you can't score a goal below 64° , and the high angle can go into a circle in the falling process. When the release angle is 66° , the maximum value of $V \approx 13.70\text{m/s}$ is taken as the boundary, and the projection speed V gradually decreases to 13.04m/s when it goes down to 64° and to 13.17m/s when it reaches 72° .

Acknowledgment: 1. Special subject of the 13th five year plan of Guangxi Education Science in 2019 (2019ZJY098) ; 2. The open fund project of the Hubei leisure sports development research center supported "Research on the values of sports organizations in Minority Villages" (2020Y028); 3. 2019"sports aesthetic education and labor education" special projects in Lushan College of Guangxi University of science and technology: Research on teaching reform of national physical education to build school brand.

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Figure 2

The best angle and speed matching diagram in practice



Figure 3

Practice of hing-pole throwing Hydrangea



Figure 4

Coach demonstration