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The oculomotor signature of expected surprise

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ABSTRACT

Expected surprise could be defined as the anticipation of the uncertainty associated with the future occurrence of a target of interest. We hypothesized that spatial expected surprise could have a different impact on anticipatory and visual gaze orientation. This hypothesis was tested in humans using a saccadic reaction time task in which a cue indicated the future position of a stimulus. In the ‘no expected surprise’ condition, the visual target could appear only at the previously cued location. In other conditions, more likely future positions were cued with increasing expected surprise. Anticipation was more frequent and pupil size was larger in the no expected surprise condition compared with all other conditions. The latency of visually-guided saccades increased linearly with the logarithm of surprise but their maximum velocity did not. In conclusion, before stimulus appearance oculomotor responses were altered probably due to increased arousal in the no expected surprise condition. After stimulus appearance, the saccadic decision signal could be scaled logarithmically as a function of surprise (Hick’s law). However, maximum velocity also reflected increased arousal in the no surprise condition. Therefore, expected surprise alters the balance between anticipatory and visually-guided responses and differently affects movement kinematics and latency.

Introduction

Prediction of future events is an essential cognitive function that influences all levels of sensory and motor processing in the brain¹⁻³. Prediction is based on prior information learned in a previously experienced similar context. However, it is inevitably tainted with some spatial and/or temporal uncertainty that has to be explicitly estimated in the decision process⁴. The decision to initiate a particular behavioral response could be influenced by this estimation of uncertainty. For instance, if a visual object temporarily disappears behind an occluder, its re-appearance on the other side is necessarily associated with some temporal and/or spatial uncertainties. In this kind of situation, a simple straightforward strategy for the observer could be to fixate on the last known location of the stimulus and make a saccadic eye movement when the stimulus re-appears on the other side of the occluder. However, one could also anticipate the likely exit and gaze at that position before stimulus re-appearance with the advantage of increased preparedness and reduced reaction time. What determines the choice between these two strategies is unknown but low level spatio-temporal uncertainty could favor the initiation of anticipatory responses. Primates often anticipatorily gaze at the future expected position of a visual stimulus to collect information or anticipate action consequences⁵. Anticipatory eye movements occur in the absence of visual stimulation if sensory dimensions of the future stimulus like direction, timing, and/or velocity are predictable⁶⁻¹². Moreover, anticipatory smooth pursuit eye movements adapt their timing and velocity as a function of temporal¹¹ or spatial uncertainty¹³. In general, low uncertainty about sensory dimensions of a future stimulus favors prediction in the oculomotor system (for smooth pursuit, see review in¹⁴).

In reaction time (RT) experiments, the occurrence of anticipatory saccades between the warning and imperative stimuli is generally considered as an error. Indeed, in those experiments, subjects are explicitly instructed to wait for the stimulus (e.g. a visual target) before responding. Therefore, in RT paradigms anticipatory saccades are considered as ‘uninstructed’ responses and discarded from further analysis. Although sensory conditions favouring their occurrence could be determined (e.g. repetition of stimulus appearance at the same position) they occur spontaneously without strict experimental control and with large idiosyncratic variations¹⁵. However, anticipatory saccades reflect the subject’s expectation and provide insights that can not be obtained from stimulus-evoked responses only^{16,17}. Therefore, the impact of uncertainty could be different in anticipatory (uninstructed) and visually-guided (instructed) responses.

Uncertainty comes into two different varieties: expected or unexpected. Expected uncertainty refers to the known unreliability of prediction in a given environment. Unexpected uncertainty refers to a change in the context altering all prior expectations¹⁸. It has been suggested that acetylcholine and noradrenaline could be involved in the processing of expected and unexpected uncertainty, respectively^{18,19}. Both of these neurotransmitters are also involved in controlling pupil size²⁰, which is commonly used as a behavioral measure of the subjective impact of uncertainty in sensory and decision processes^{21–25} (see review in²⁶). Uncertainty could also be qualified as ‘surprise’. Surprise is a polysemic term that can be interpreted in several different ways and is hypothesized to underlie essential functions like learning^{27,28} and emotions^{29,30}. In the present study, we will use ‘surprise’ to quantify the unexpectedness of a particular event occurring from a random variable (‘stimulus-bound’ surprise⁴). Surprise will be computed using the definition from Shannon’s information theory and expressed in bits³¹. We will use the term ‘expected surprise’ to refer to the anticipation of the spatial uncertainty associated with a future visual target. The future position of the target will be provided by a cue creating a prior expectation but with a certain amount of associated spatial uncertainty. Although ‘expected surprise’ could be considered as an oxymoron (‘expecting the unexpected’), we suggest it has an operational validity. For instance, surprise is expected when you go home after work on the day of your birthday (prior knowledge) but you don’t know exactly what it will be (party, dinner out, etc. . .).

Surprise plays a major role in attracting attention³² and gaze shifting^{33–35}. Therefore, in the present study, we studied oculomotor responses evoked by expected surprise. We hypothesized that the occurrence of anticipatory saccades could decrease with increasing expected surprise. Therefore, expected surprise could alter the balance between anticipation and visually-guided responses. Furthermore, we hypothesize that the precise impact of surprise on anticipatory and visually-guided responses could be different given that they are uninstructed or instructed responses, respectively. These hypotheses were tested using a simple spatial uncertainty paradigm with cued expected surprise and a constant stimulus-response mapping. Dependent variables measured were anticipatory saccade occurrence, pupil size, visually-guided saccade maximum velocity and latency.

Methods

Subjects and Ethics

Thirty-six subjects participated in the present study. One subject was excluded due to extensive noise in EEG and oculomotor recordings and one subject was excluded due to misunderstanding of the task. The final sample used in the analysis included 34 subjects (24 females; age = 24.47 ± 4.24 years). Participants were between 18 and 65 years old, did not suffer from neurological or psychiatric diseases, did not take drugs or psychoactive substances at least the day before the experiment and used corrected vision if needed. Each participant was informed about the aim of the study, signed an informed consent document regarding procedures and was informed about the possibility to withdraw from the experiment at any time without consequences. The study was conducted in accordance with the Declaration of Helsinki guidelines and approved by the local Ethics Committee of the Université catholique de Louvain under number B403201733677 (Belgium).

Eye movements

Eye movements and pupil size were recorded binocularly at 500 Hz using an infrared eye tracking system (EyeLink1000, desktop mount, SR Research, Mississauga, Ontario) with an average spatial accuracy of 0.25° of visual angle and pupil size resolution of 0.2% of diameter. Experimental procedures were created using Experimental Builder (SR Research, Mississauga, Ontario) and displayed on a high resolution VPixx screen (1920 x 1080 pixels, VPixx Technologies, Canada) at 60 Hz. The eye-tracker camera was calibrated before each block of trials and after resting breaks.

Experimental paradigm

Each trial started with a cue period labelled by the word "CUE" displayed at the bottom of the screen (Fig. 1). Next, a white box (referred to as the ‘fixation box’, $5.7 \times 4.3^\circ$ visual angle) with a white *fixation cross* appeared at the bottom of the screen for 500 ms. After this initial fixation period a cue was presented. The cue consisted of four cued ‘boxes’ (referred to as ‘CB’; dark or bright; $5.7 \times 4.3^\circ$ visual angle each) displayed above the fixation box for 2000 ms, each at an approximate distance of 17° of visual angle from the fixation cross. Participants were asked to maintain gaze fixation on the fixation box before, during and after the cue presentation.

Afterwards, the test period began with the word "TEST" presented and four empty *test boxes* (referred to as 'TB', 5.7 x 4.3° visual angle each) displayed on the top of the screen for 1000 ms at the same positions as CBs. The warning stimulus (WS, *red square*) was shortly displayed in the central box for 50 ms. After a constant delay of 1900 ms (foreperiod or FP) the imperative stimulus (IS, *eccentric red square*) was displayed in one of the TBs for 50 ms. Participants were instructed to maintain gaze on the fixation cross during the FP and then make a visually-guided saccade towards the IS as fast as possible. Each trial ended with an inter-trial-interval (ITI) of a randomized duration (2250 ± 250 ms). This paradigm has the advantage to clearly separate the expected surprise encoding period from the response preparation period. Indeed, the cue indicated the different levels of expected surprise about the future target position ' T_p '.

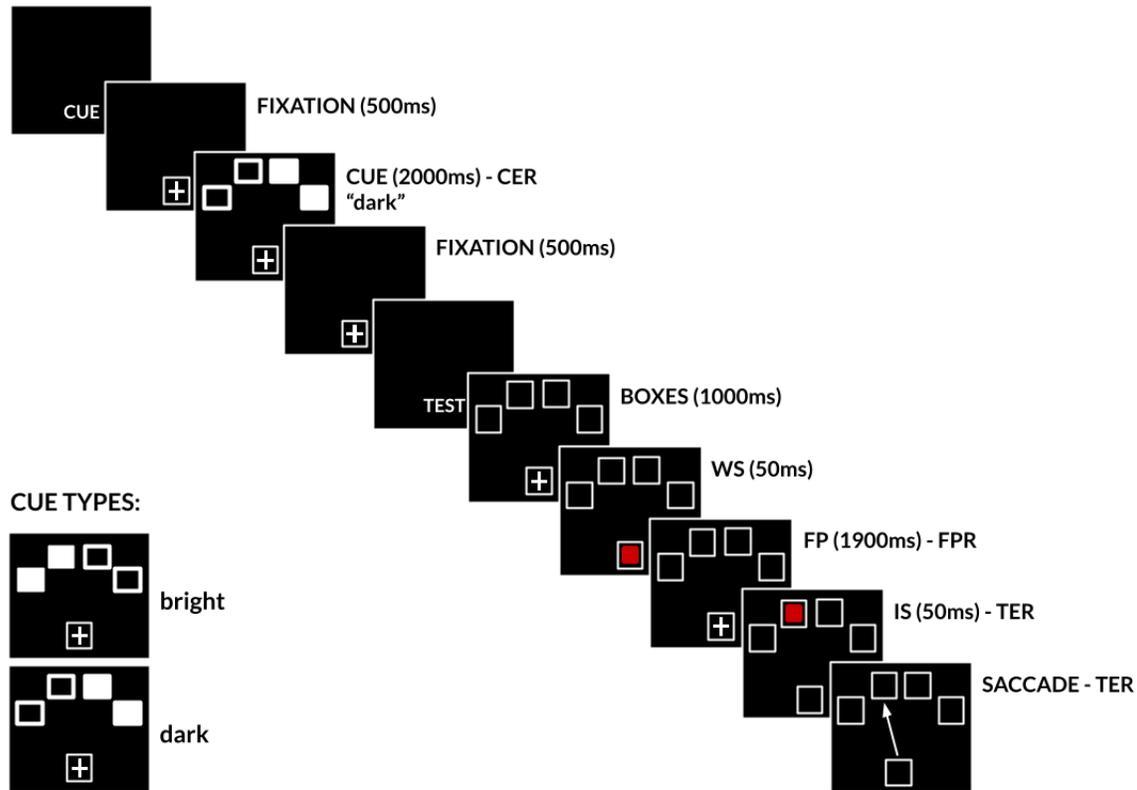


Figure 1. Schematic representation of the spatial surprise paradigm. During the cue interval, while maintaining gaze on the *fixation cross*, participants were presented with the spatial cue (*cue boxes* or CBs) on top of the screen. CBs indicated the amount of expected surprise bounded to the future localization of the target. Next, the warning stimulus (WS, first red square) was briefly presented in the *fixation box*. Extinction of the WS initiated a 1900 ms foreperiod (FP). Then the imperative stimulus (IS, second red square) was briefly presented in one of four *test boxes* (TBs). This event started the target-evoked response period (TER). Participants were asked to maintain gaze on the fixation cross during the FP and then make a visually guided saccade towards the IS as quickly as possible.

Marking of 1, 2, 3 or 4 boxes occurred with the same probability ($P = 0.25$). If the cue consisted of one marked box, the probability of the target appearing in that box later was $P(T_p = CB_1) = 1$ (no surprise). Note that for $P(T_p = CB_1) = 1$, the actual box being marked could be randomly assigned to one of four different possibilities on the screen. If 2 boxes were marked, the target could later appear in either one of them with the same probability $P = 0.5$. The group of two cued boxes could occupy three different positions on the screen (left, as on Fig. 1, or middle or right). If three boxes were marked, the probability for each box to be occupied by the future target decreased to $P = 0.33$. The group of three boxes could appear either mostly on the left or on the right side of the screen. Finally, if 4 boxes were marked, the probability of each box to be occupied by the future target was $P = 0.25$.

In summary:

$$\begin{aligned}
 P(T_p = CB_1) &= P(T_p = CB_2) = 0.5, \\
 P(T_p = CB_1) &= P(T_p = CB_2) = P(T_p = CB_3) = 0.33, \\
 P(T_p = CB_1) &= P(T_p = CB_2) = P(T_p = CB_3) = P(T_p = CB_4) = 0.25.
 \end{aligned}$$

With: T_p = target position; CB_n = label of cued box, $n = 1, 2, 3, 4$;

The value of surprise (SU) bounded to each experimental condition (C_i) can be calculated using Shannon's formula:

$$SU_i = -\log_2 P(C_i) \quad (1)$$

which is a base 2 logarithm of the probability of the number of cue boxes ($C_i = 1, 2, 3$ or 4) giving a result in bits³¹. For example, in condition C_1 , $SU_1 = 0$ indicated no surprise concerning the outcome and participants were precisely informed about the box that will be occupied by the future IS. Oculomotor preparation was maximal. Surprise for each condition was: $SU_1 = 0$, $SU_{0.5} = 1$, $SU_{0.33} = 1.58$ and $SU_{0.25} = 2$.

Two different versions of the experiment were tested. For half of the participants, CBs were represented as filled white squares (*bright cue*), for the other half open squares CBs were used (*dark cue*). The edges of bright and dark CBs were slightly blurred to minimize the pop-up effect of a cue appearing at the top of the screen and facilitate maintaining the gaze on the fixation box. Finally, to make sure that participants were able to memorize the cued locations while fixating, a simple spatial working memory task was performed at the beginning of each experiment. First, participants had to maintain gaze on the fixation box and remember the location of marked CBs presented. Next, four TBs were presented and participants had to click with the mouse the boxes previously marked during the cue presentation. Each experiment started with the memory task (20 trials), followed by the saccade task (4 blocks, 40 trials each).

Preprocessing

Poor quality oculomotor recordings (unreliable pupil tracking, frequent blinking) were excluded from the analysis using the DataView software (SR Research, Canada). Saccades were detected with both a velocity ($22^\circ/s$) and acceleration ($3800^\circ/s^2$) criteria. Saccades with a latency superior to or equal to 100 ms after appearance of the IS will be referred to as 'visually-guided' saccades (*blue traces* on Fig. 2). Saccades occurring after extinction of the WS but less than 100 ms after the IS will be referred to as 'anticipatory' saccades (*orange traces* on Fig. 2). Saccades with a latency >1000 ms were not considered for further analysis.

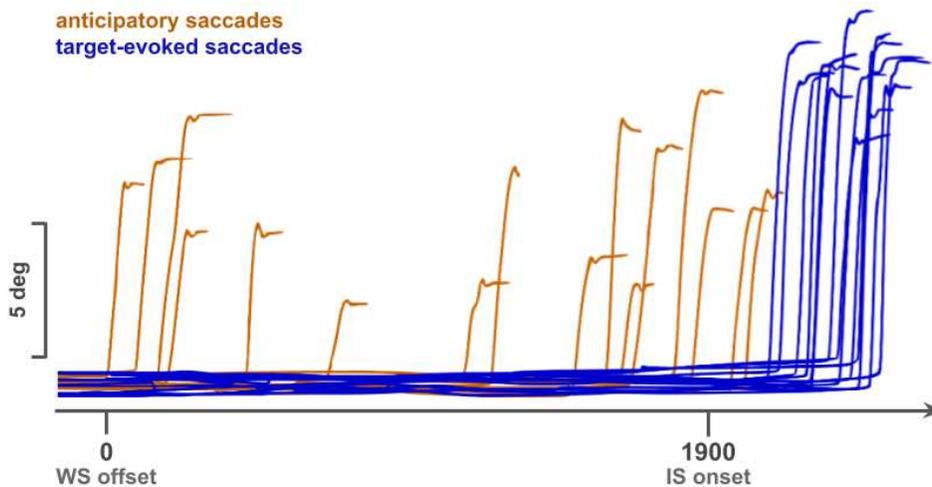


Figure 2. Example of anticipatory (*orange traces*) executed after the WS offset but not later than 100 ms after the IS onset, and visually guided (*blue traces*) saccades executed after 100 ms from the IS onset.

Pupil size during blinks was estimated by using a linear interpolation of pupil size from 70 ms before the starting point of the blink until 70 ms after its endpoint. Pupil size diameter during the FP was then averaged in 50 ms bins and further processed in the R environment using the *PupillometryR* library (R Core Team, 2020, version 4.0.3³⁶). Pupil traces were filtered using the median filter and normalized to the baseline period (100 ms before the data segment onset).

Statistical analysis

Statistical analysis of multidimensional data is often associated with the multiple comparison problem (MCP). The cluster-based permutation test (CBPT) is a popular data-driven approach that alleviates the MCP³⁷. However, contrary to a widespread use, this approach is not tailored to support the claims about the precise location of the detected effects³⁸. Therefore, each cluster-based permutation test result was then submitted to a hypothesis-driven method conducted on the clusters suggested by the CBPT. In the CBPT, t-values of the difference between two conditions were computed and thresholded ($p < .05$) to specify clusters of significant differences. Labels of trials were shuffled 10,000 times randomly and a t-test was performed on the shuffled data. The sum of t-values within the largest cluster was saved into a distribution of summed cluster t-values representing the null hypothesis. Next, to correct for multiple comparisons, non-permuted cluster *t-values* were summed and thresholded using the null-hypothesis distribution ($p < .05$). Pupil size changes during the FP were subjected to CBPT analysis in R (*permutes* library version 2.1.1³⁹).

Within the hypothesis-driven approach, mean pupil size, number of anticipatory saccades, visually-guided saccadic maximum velocity and latencies were subjected to a statistical analysis using *lme4* library (version 1.1-23⁴⁰). LMMs were fitted using the maximum likelihood method (Laplace Approximation⁴⁰). A log-likelihood ratio test was conducted to compare models⁴¹. Each linear mixed effects model used in the manuscript can be explained by the general equation:

$$Y_{is} \sim \beta_0 + \beta_1 X_{is} + S_{0s} + \epsilon_{is} \quad (2)$$

where Y_{is} is the outcome for the s -th subject in the i -th trial, X_{is} is the fixed effect for the s -th subject in the i -th trial, β_0 is the intercept parameter, β_1 is the fixed effect slope parameter, S_{0s} is the random intercept effect for subjects and ϵ_{is} is the corresponding residual error. Continuous outcomes (visually-guided saccadic latencies, maximum velocity and pupil size) were fitted using Gaussian distributions. The count measure of anticipatory saccades was fitted using the Poisson distribution. Due to the large number of zeros in the measure, a zero-inflated (ZI) Poisson model was chosen⁴². In this case, the excess zeros contribution included only an intercept term. Finally, accuracy of the memory task responses were fitted using a binomial distribution. Zero-inflated Poisson and the binomial distribution were used within the Generalised Linear Mixed Models (GLMM) framework. Outcomes and fixed effects specified for a given model are listed in the Results section. The significance level assumed in the present study was $\alpha = .01$.

Results

Pupil size during the cue and test periods

During the cue period, pupil size presented a biphasic time course starting with an initial transient response lasting approx. 500 ms followed by a sustained change lasting approximately 1500 ms (see Fig. 3A). In order to determine if the pupil response could encode expected surprise (abbreviated as ‘SU’) during the cue presentation period, a cluster-based permutation analysis was performed. None of the tested pairs of contrasts ($SU_1 - SU_{0.5}$, $SU_1 - SU_{0.33}$, $SU_1 - SU_{0.25}$) proved significantly different ($p_{mass} > .05$). However, pupil size was modulated by the number of visually salient cue boxes (bright CBs; see Supplementary materials for figures).

Observation of pupil size as a function of time during the foreperiod (Fig. 3A, right panel) suggests here also that pupil dynamics up to 500 ms after the WS offset was probably related to luminance changes only. However, in contrast with the cue period, a significant modulation of pupil size by expected surprise was found using a cluster-based permutation analysis conducted for each pair of surprise conditions separately (SU_1 and $SU_{0.5}$: $t_{mass} = 86.32$, $p_{mass} = .0001$, interval 800-1900 ms; SU_1 and $SU_{0.33}$: $t_{mass} = 53.38$, $p_{mass} = .0001$, interval 1000-1900 ms; SU_1 and $SU_{0.25}$: $t_{mass} = 189.30$, $p_{mass} = .0001$, interval 500-1900 ms). The 800-1900 ms period was therefore prone to show an effect of SU on pupil size and subjected to further analysis. A linear mixed effects analysis was performed according to the following model:

$$Model A1 : pupil\ size_{is} \sim \beta_0 + \beta_1 SU_{is} + S_{0s} + \epsilon_{is} \quad (3)$$

with: $size_{is}$: mean pupil size for the s -th subject in the i -th trial within the 800-1900 ms interval; SU_{is} : value of surprise for the s -th subject in the i -th trial.

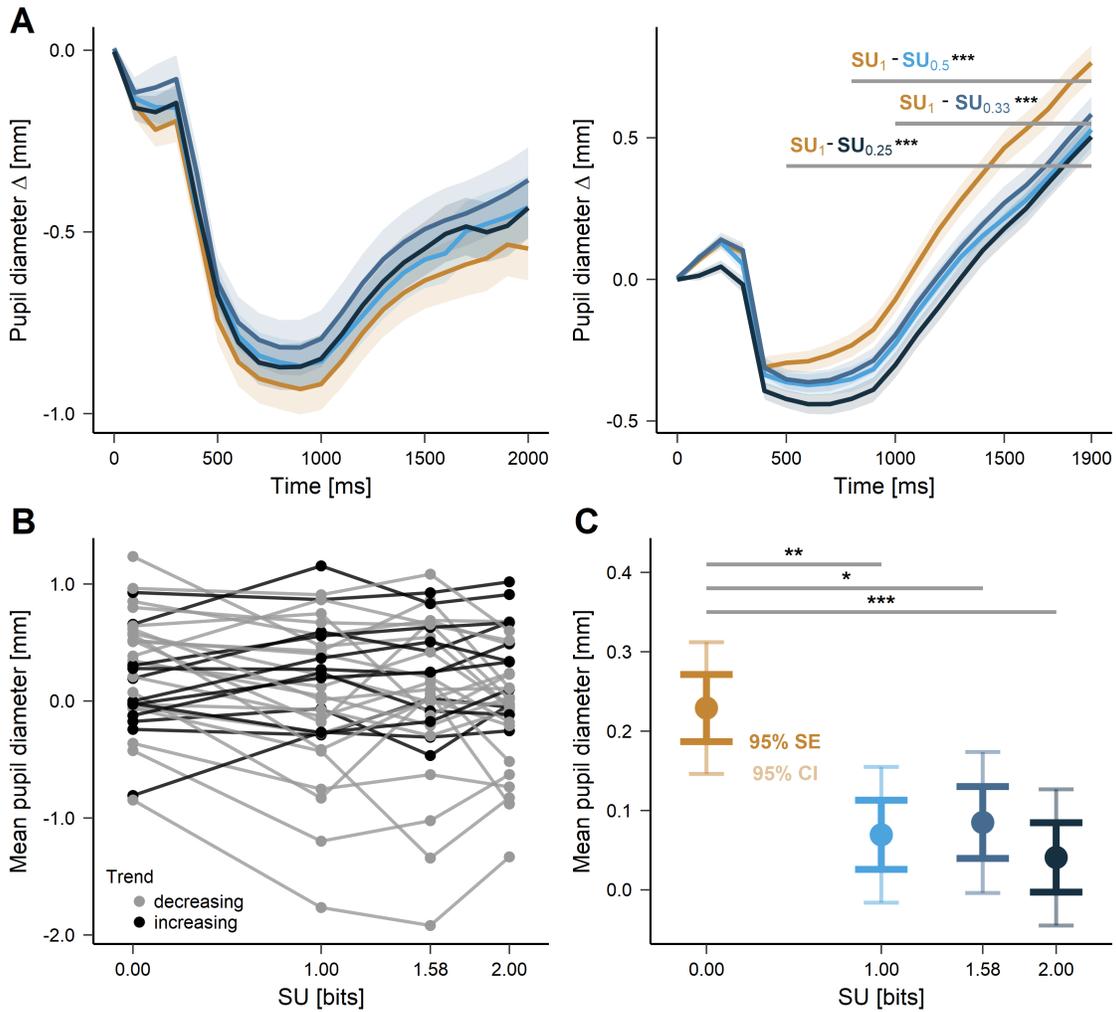


Figure 3. **A** Time course of pupil size during the cue period (left panel) and FP (right panel). Time ‘zero’ on the X-axis indicates the onset of the cue or the extinction of the warning stimulus. Colored lines indicate baseline corrected mean pupil size in the different SU conditions. Horizontal grey lines indicate clusters of differences between conditions, together with p-values obtained with the CBPT ($* p \leq .05$, $** p \leq .01$, $*** p \leq .001$). **B** Mean pupil size (dot) in each surprise condition in the 800-1900 ms FP interval for each subject. Black lines show individuals with an increasing trend. **C** Mean pupil size (dot) for each SU context in the 800-1900 ms FP interval with standard errors and confidence intervals. Horizontal grey lines indicate LMM significance between conditions.

Table 1. LMM analysis of the effect of expected surprise on the pupil size during the foreperiod

Model	Effects	β	SE	t	p	95% CI	df	σ^2	τ_{00}	LL
A0	Intercept	0.12	0.09	1.30	0.200	[-0.05, 0.31]	5184	2.23	0.26	-9493
A1	Intercept (SU_1)	0.17	0.09	1.31	0.200	[-0.05, 0.29]	5181	2.23	0.26	-9487
	$SU_1 - SU_{0.5}$	0.16	0.06	2.71	0.007	[0.05, 0.28]				
	$SU_1 - SU_{0.33}$	0.15	0.06	2.50	0.012	[0.03, 0.25]				
	$SU_1 - SU_{0.25}$	0.19	0.06	3.22	0.001	[0.07, 0.30]				

β fixed effect coefficient, LL Log-Likelihood, σ^2 variance of level-1 residual errors, τ_{00} variance of level-2 residual errors.

Contrasts were applied to the model in order to compare SU_1 against each of the remaining conditions. Visual inspection of residual plots did not reveal any deviation from the model assumptions. Model A1 performed better, compared to an intercept-only based model A0 ($\chi^2(3) = 12.38$, $p = .006$; see Tab.1 for details). Within the 800-1900 ms interval of the foreperiod, the pupil size was larger in the SU_1 condition (mean \pm std; 0.24 ± 0.10 mm) compared to all other conditions ($SU_{0.5}$, 0.08 ± 0.10 mm, $p = .007$; $SU_{0.33}$, 0.09 ± 0.10 mm, $p = .012$; $SU_{0.25}$, 0.05 ± 0.10 mm, $p = .001$). This trend was observed in most subjects of the present study (see Fig. 3B). Fig. 3C shows mean pupil size in different SU contexts.

Expected surprise reduces anticipatory oculomotor behaviour

Saccades initiated after the offset of the WS and up to 100 ms after the onset of the IS were defined as ‘anticipatory’ (see Fig. 2, orange traces). Fig. 4A shows the latency distribution of anticipatory saccades for the different SU values tested. Visual inspection of saccadic latency distributions suggests the existence of two modes: an early one (0 - 500 ms) and a late one (> 1000 ms, see arrows on Fig. 4A). The first mode corresponds to a transient increase of the number of anticipatory saccades after the offset of the WS. The second mode shows a gradual increase of the probability of anticipatory saccade occurrence as time elapsed during the foreperiod. This anticipatory behavior was particularly salient in the SU_1 condition. As SU increased, the number of anticipatory saccades decreased strongly and the bimodal pattern can only be conjectured.

In order to quantitatively compare the number of anticipatory responses for different SUs, a generalised linear mixed-effects analysis was performed using model:

$$\text{Model B1} : \text{saccade count}_s \sim \beta_0 + \beta_1 SU_s + S_{0s} + \epsilon_s \quad (4)$$

with: saccade count_s , number of anticipatory saccades for the s -th subject; SU_s , surprise value for each subject. Contrasts were tested to allow the comparison of the number of anticipatory saccades in the SU_1 condition against other SU values. Visual inspection of residual plots did not reveal any deviations of model assumptions or overdispersion. Model B1 performed better, compared to an intercept-only based model B0 ($\chi^2(3) = 130.85$, $p < .001$, see Tab.2 for details). During the FP, the occurrence of anticipatory saccades was 3.9 ± 0.7 times more likely in the SU_1 compared with the $SU_{0.5}$ condition ($p < .001$), 5.5 ± 1.3 times more likely in the SU_1 compared with the $SU_{0.33}$ condition ($p < .001$) and 5.8 ± 1.2 times more likely in the SU_1 compared with the $SU_{0.25}$ condition ($p < .001$, Fig. 4B, see Tab.2 for details). This trend was also present for most subjects (see Fig. 4C).

The amplitude of anticipatory saccades in the SU_1 condition was 11.7° on average (95% CI = [10.69, 12.67]) for 1st mode responses ($n = 32$) and 12.9° (95% CI = [12.41, 13.36]) for 2nd mode responses ($n = 150$). Due to unequal sample sizes, Dunnett’s test for multiple comparisons was performed on the saccadic amplitude in the 1st and 2nd mode. The amplitude difference between modes ($t = 2.25$, $p = 0.029$) did not reach the significance level assumed in the present study ($\alpha = .01$), probably due to the small sample size. However, the observed trend may indicate that 1st mode responses were impulsive responses driven by the offset of the WS rather than directed towards the IS location. The amplitude of 2nd mode saccades was closer to target eccentricity (17° visual angle) reflecting their anticipatory nature. In summary, in response to no expected surprise about target location, the rate of anticipatory saccades during the FP was higher compared with all other conditions. Fig. 2C shows that this trend was observed in most subjects.

Table 2. GLMM analysis of the effect of expected surprise on the anticipatory saccade count during the foreperiod

Model	Effects	IRR	β	SE	z	p	95% CI	σ^2	τ_{00}	LL
B0	Intercept	2.22 ± 0.43	0.80	0.19	4.14	<.001	[0.42, 1.18]	0.74	0.72	-301
	ZI part	0.42 ± 0.12	-0.87	0.27	-3.16	0.002	[-1.40, -0.33]			
B1	Intercept (SU_1)	1.33 ± 0.26	0.29	0.19	1.48	0.140	[-0.09, 0.67]	0.56	0.54	-236
	$SU_1 - SU_{0.5}$	3.91 ± 0.70	1.36	0.18	7.58	<.001	[1.01, 1.72]			
	$SU_1 - SU_{0.33}$	5.50 ± 1.27	1.70	0.23	7.40	<.001	[1.25, 2.16]			
	$SU_1 - SU_{0.25}$	5.82 ± 1.20	1.76	0.21	8.52	<.001	[1.36, 2.17]			
	ZI part	0.16 ± 0.09	-1.82	0.58	-3.14	0.002	[-2.96, -0.69]			

IRR Incidence Rate Ratio \pm SE, β fixed effect coefficient, LL Log-Likelihood, σ^2 variance of level-1 residual errors, τ_{00} variance of level-2 residual errors.

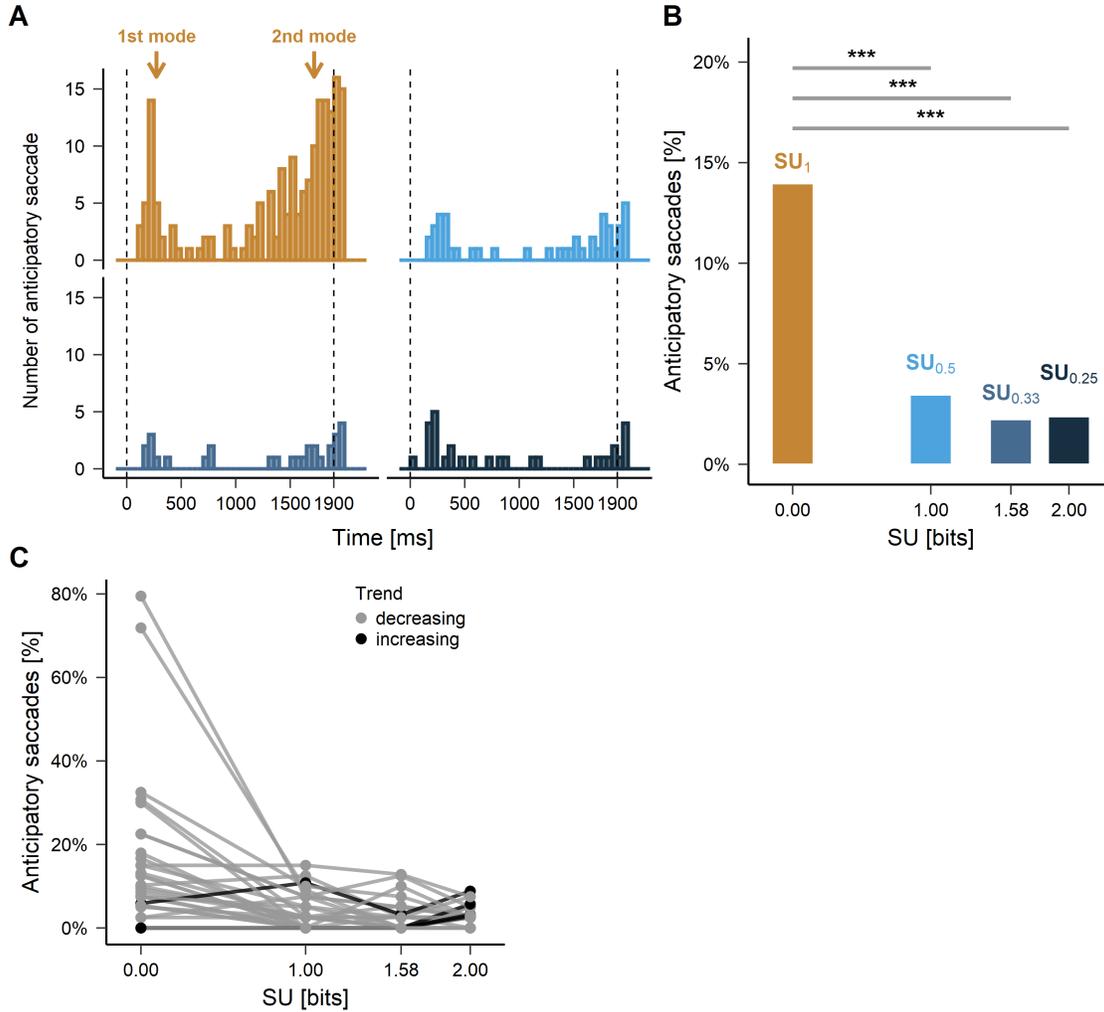


Figure 4. **A** Latency distributions of anticipatory saccades for the different SUs tested. Time ‘zero’ on the X-axis indicates FP onset. In the absence of surprise about the future target position, a bimodal distribution of latencies was clearly observed. **B** Bar plot of the percentage of anticipatory saccades during the FP. Horizontal grey lines indicate GLMM significance level between conditions. **C** Percentage of anticipatory saccades during the FP for each SU and each subject. Black lines show subject with an increasing number of anticipatory saccades with increasing SU (opposite trend).

The latency and maximum velocity of visually-guided saccades are differently modulated by expected surprise

In the Introduction section, we hypothesized that an internal representation of surprise could also alter the preparation of visually-guided saccades. Increasing surprise could increase movement latency and/or alter movement kinematics. In order to test these hypotheses, a linear mixed effects analysis was performed with the following model:

$$\text{Model C1} : RT_{is} \sim \beta_0 + \beta_1 SU_{is} + S_{0s} + \epsilon_{is} \quad (5)$$

where RT_{si} is the mean target-evoked saccadic reaction time (latency) for the s -th subject in the i -th trial and SU_{is} is the value of surprise for the s -th subject in the i -th trial. Visual inspection of residual plots did not reveal any deviation from model assumptions. Model C1 performed better, compared with an intercept-only based model C0 ($\chi^2(3) = 220.90, p < .001$, see Tab.3). Visually-guided saccades had a shorter latency in the SU_1 condition (215.8 ± 7.1) compared with the $SU_{0.5}$ ($233.5 \pm 7.1, p < .001$), $SU_{0.33}$ ($244.8 \pm 7.1, p < .001$) and $SU_{0.25}$ conditions ($247.8 \pm 7.1, p < .001$). $SU_{0.5}$ evoked shorter reaction times compared to $SU_{0.33}$ ($p < .001$) but the comparison between $SU_{0.33}$ and $SU_{0.25}$ was not significant ($p = .179$, Fig. 5A upper panel).

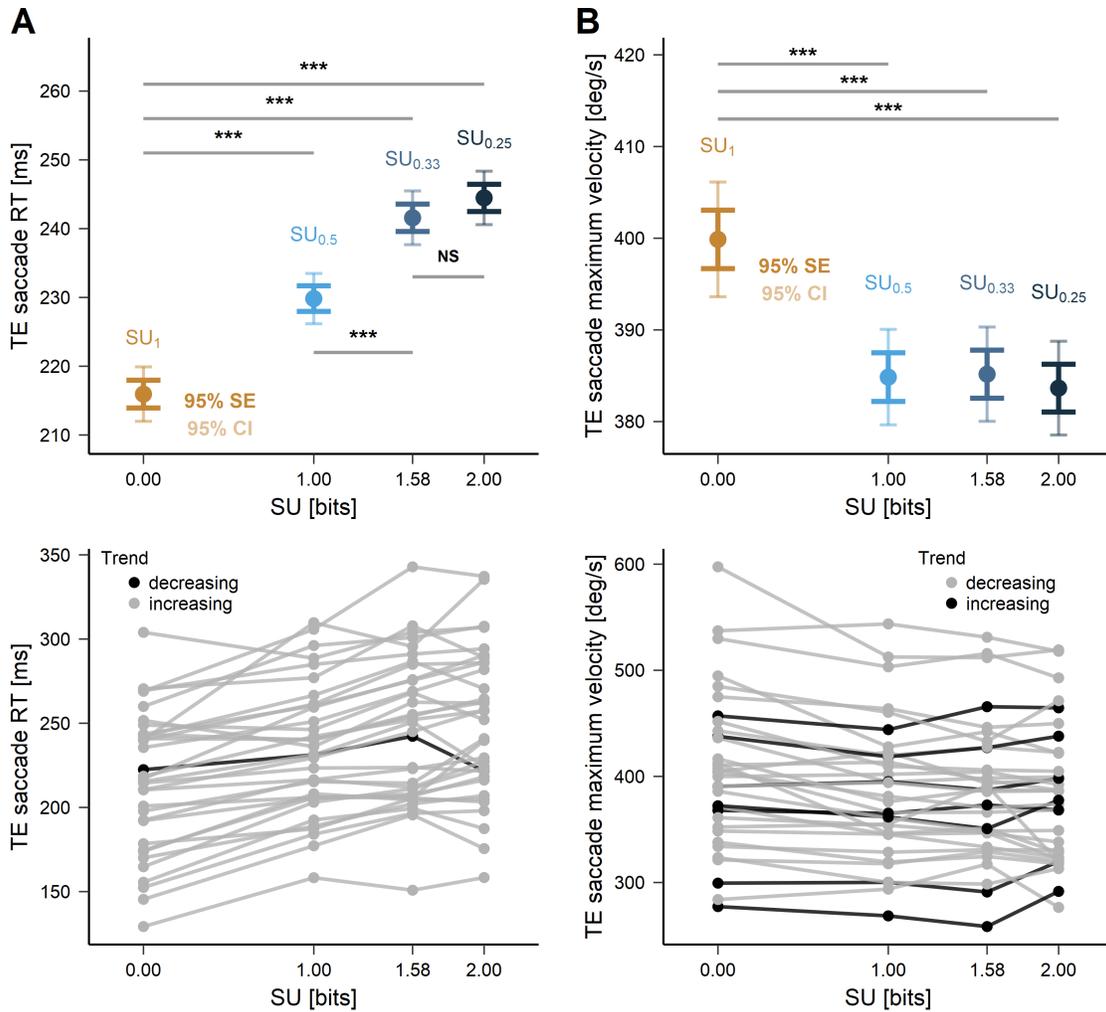


Figure 5. **A** Mean target-evoked RT (dots) for each SU context with standard error and confidence interval whiskers (upper panel) and divided by subject (bottom panel). Horizontal grey lines indicate LMM significance between conditions. Black lines show individuals with the decreasing trend. Different SU contexts are expressed in bits. **B** Mean target-evoked maximum velocity (dots) for each SU context with standard error and confidence interval whiskers (upper panel) and divided by subject (bottom panel). Horizontal grey lines indicate LMM significance between conditions. Black lines show individuals with the increasing trend. Different SU contexts are expressed in bits.

Table 3. LMM analysis of the effect of expected surprise on the target-evoked saccade reaction time

Model	Effects	β	SE	t	p	95% CI	df	σ^2	τ_{00}	LL
C0	Intercept	236.30	6.87	34.41	<.001	[223.62, 250.59]	4488	3087.03	1579.23	-24486
C1	Intercept (SU ₁)	235.45	6.95	33.85	<.001	[222.30, 250.15]	4485	2939.17	1621.30	-24376
	SU ₁ - SU _{0.5}	-17.71	2.36	-7.52	<.001	[-22.15, -12.54]				
	SU ₁ - SU _{0.33}	-29.02	2.34	-12.38	<.001	[-33.31, -24.58]				
	SU ₁ - SU _{0.25}	-32.03	2.34	-13.70	<.001	[-37.05, -26.85]				
	SU _{0.5} - SU _{0.33}	-11.31	2.26	-5.01	<.001	[-15.63, -6.44]				
	SU _{0.33} - SU _{0.25}	-3.01	2.24	-1.34	0.180	[-7.47, 1.63]				

β fixed effect coefficient, LL Log-Likelihood, σ^2 variance of level-1 residual errors, τ_{00} variance of level-2 residual errors.

In order to test whether visually-guided saccadic maximum velocity followed the same trend, a linear mixed effects analysis was performed with the following model:

$$\text{Model D1: maximum velocity}_{is} \sim \beta_0 + \beta_1 \text{SU}_{is} + S_{0s} + \varepsilon_{is} \quad (6)$$

with: maximum velocity_{si}, mean target-evoked saccadic reaction time for the *s*-th subject in the *i*-th trial; SU_{is} , surprise for the *s*-th subject in the *i*-th trial. Visual inspection of residual plots did not reveal any deviation from model assumptions. Model D1 performed better compared with an intercept-only base model D0 ($\chi^2(3) = 62.04, p < .001$, see Tab.4). Maximum velocity was larger in the SU_1 condition (402.8 ± 11.2 °/s) compared with the $\text{SU}_{0.5}$ (385.6 ± 11.2 °/s, $p < .001$), $\text{SU}_{0.33}$ (384.5 ± 11.2 °/s, $p < .001$) and $\text{SU}_{0.25}$ conditions (382.2 ± 11.2 °/s, $p < .001$, Fig. 5B upper panel).

Table 4. LMM analysis of the effect of expected surprise on the maximum velocity of the target-evoked saccade

Model	Effects	β	SE	<i>t</i>	<i>p</i>	95% CI	<i>df</i>	σ^2	τ_{00}	LL
D0	<i>Intercept</i>	388.15	11.06	35.09	<.001	[368.313, 410.071]	4507	4527.24	4123.87	-25459
D1	<i>Intercept (SU₁)</i>	388.76	11.09	35.04	<.001	[366.14, 408.91]	4504	4467.71	4148.97	-25423
	<i>SU₁ - SU_{0.5}</i>	17.27	2.90	5.95	<.001	[11.73, 23.20]				
	<i>SU₁ - SU_{0.33}</i>	18.38	2.89	6.35	<.001	[12.45, 24.58]				
	<i>SU₁ - SU_{0.25}</i>	20.68	2.89	7.17	<.001	[14.55, 25.91]				

β fixed effect coefficient, LL Log-Likelihood, σ^2 variance of level-1 residual errors, τ_{00} variance of level-2 residual errors.

The observation that visually-guided saccadic latencies logarithmically increased with expected surprise suggest a particular instantiation of Hick's law⁴³:

$$\text{Model HL: } RT_i \sim \beta_0 + \beta_1 \log_2(C_i) \quad (7)$$

with: RT_i average saccadic latency in the *i*-th trial; β_0 , intercept of the model; β_1 slope; C_i , number of choice alternatives for the *i*-th trial. Visual inspection of residual plots did not reveal any deviation from model assumptions. A significant regression was found between SUs and RT ($F[1,134] = 13.47, p < .001$) with an R^2 of 0.085. Reaction time of visually-guided saccades increased by 25.1 ms for each unit of the logarithm of expected surprise (Fig. 6A).

Further, we tested whether visually-guided saccadic latencies could be predicted by a Poisson counting model^{44–46} (see implementation in⁴⁷). This model is using a random walk to represent an hypothetical decision signal building up to a threshold and leading to a saccade. Each sample could be considered as a unit of evidence approaching the decision boundary. Samples were drawn from an exponential distribution and counted using a Poisson counting model. The accumulation average rate determines how quickly the decision threshold could be crossed. Two variants of the model were tested: in the ' R_V/T_C ' model, the rate of evidence accumulation *R* was variable and could encode the different SUs tested. In this case, an arbitrary fixed threshold *T* was selected (see Fig. 6D); in the ' R_C/T_V ' model, the rate of evidence accumulation was constant but the decision threshold could vary to encode SU (see Fig. 6E).

The R_V/T_C model was fitted by simulating latencies of each SU condition separately with a threshold fixed at 10 units of accumulated evidence and an accumulation rate varying between 30 and 80 evidence units/s. Each fit was then compared to the average saccadic latency corresponding to each condition. The residual sum of squares (RSS) between simulated and observed data was then calculated and compared between fits. Fig. 6B shows that the RSS plotted as a function of accumulation rate was U-shaped and reached a minimum at 51, 48, 45 and 45 units/s for the SU_1 , $\text{SU}_{0.5}$, $\text{SU}_{0.33}$ and $\text{SU}_{0.25}$ condition, respectively. The rate of evidence accumulation was therefore different for each tested SUs. For the R_C/T_V model, average saccadic latencies were simulated with a constant accumulation rate of 60 units/s and a range of possible thresholds values from 1 to 50 units. Fig. 6C shows that the RSS for each fit plotted against the corresponding threshold value created an exponential function. This model produced larger RSS values than the R_V/T_C model and provided an unrealistic fit of the data given that it did not properly differentiate the influence of SUs on saccadic latencies (except for the SU_1 condition).

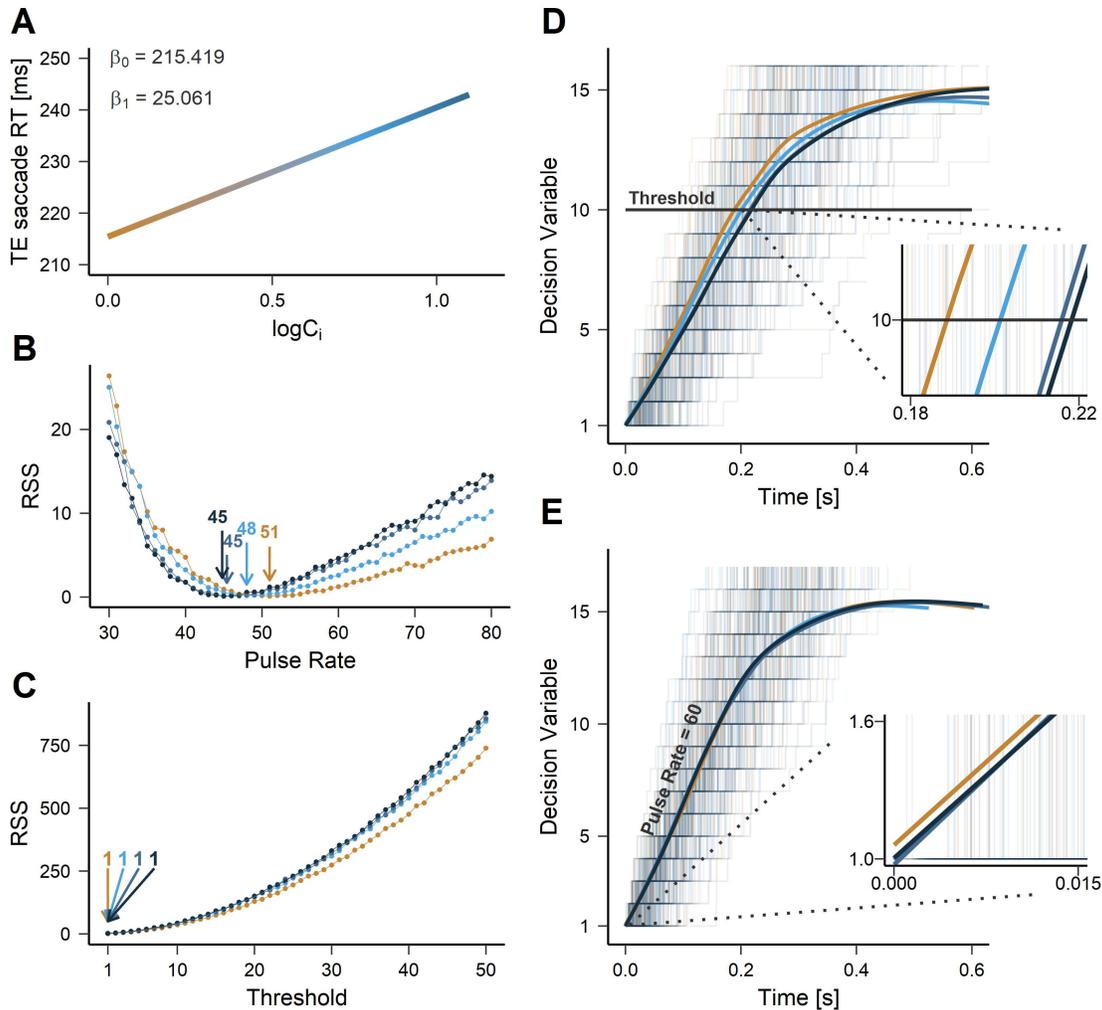


Figure 6. **A** Fit of the Hick’s model to saccadic reaction time. Predicted visually-guided RT plotted as a function of log(number of choices). **B** Residual sum of squares (RSS) of the comparison between empirical data and R_V/T_C predictions. The plot was U-shaped with a variable minimum between conditions. **C** RSS of the comparison between empirical data and R_C/T_V predictions. The RSS plot was exponentially shaped with a fixed arbitrary minimum identical in all conditions. **D** R_V/T_C model. Fifty simulation trials (light traces) per condition are displayed with the mean path for every condition (dark lines). The horizontal line indicates the constant threshold. **E** R_C/T_V model. See text for details.

Memory task

It could be hypothesized that observed effects are due to the number of items that subjects had to keep in declarative memory. More specifically, in multiple-choice reaction time tasks, the retrieval of information from declarative memory could explain HL, as suggested by the model of Schneider and Anderson⁴⁸. Therefore, the effect of surprise and memory load could be confounded, even if there was only one response choice in the paradigm tested here. In order to test this possibility, a simple explicit spatial working memory variant of the main task was designed. First, participants were presented with the cue as in the main experiment and explicitly asked to remember the marked locations while looking at the fixation cross. Next, the array of four TBs appeared on the screen. The task consisted in recalling the previously presented CBs and selecting them with a mouse click while still fixating. For example, when the cue included 3 CBs (number of memory items = 3, abbreviated as ‘MI₃’), participants had to click on the same 3 TBs during the response period. The memory experiment included 20 trials for each subject (5 per MI condition). Average accuracy was 97.6% (MI₁ - 98,2%; MI₂ - 96,5%; MI₃ - 92,9%; MI₄ - 98,2%). To quantitatively test the influence of the number of memory items on selection accuracy, a generalized linear mixed model

analysis was performed with a binomial distribution:

$$\text{Model E1: } accuracy_{is} \sim \beta_0 + \beta_1 MI_{is} + S_{0s} + \epsilon_{is} \quad (8)$$

where $accuracy_{is}$ is the binary performance indicator (1 - correct, 0 - incorrect answer) for the s -th subject in the i -th trial and MI_{is} is the number of locations to remember for the s -th subject in the i -th trial. Visual inspection of residual plots did not reveal any deviation from model assumptions. However, model E1 did not perform better than the corresponding intercept-based model E0 ($\chi^2(1) = 0.86, p = .354$; see Tab.5). Statistically, there was no influence of CB number on memory accuracy.

In conclusion, spatial working memory accuracy was similar across surprise conditions. Therefore, the logarithmic increase of visually-guided saccadic latency with surprise could not be simply attributed to an increasing memory load or task difficulty.

Table 5. GLMM analysis, influence of the number of memory items on the selection accuracy

<i>Model</i>	<i>Effects</i>	β	<i>SE</i>	<i>z</i>	<i>p</i>	<i>95% CI</i>	σ^2	τ_{00}	<i>LL</i>
<i>E0</i>	<i>Intercept</i>	4.57	0.70	6.56	<.001	[3.20, 5.93]	3.29	2.79	-87
<i>E1</i>	<i>Intercept</i>	5.08	0.91	5.58	<.001	[3.29, 6.86]	3.29	2.82	-86
	<i>MI</i>	-0.19	0.21	-0.92	0.360	[-0.60, 0.22]			

β fixed effect coefficient, *LL* Log-Likelihood, σ^2 variance of level-1 residual errors, τ_{00} variance of level-2 residual errors.

Discussion

In the present study, a simple oculomotor task was developed where subjects were informed about expected surprise with a spatial cue. When there was no expected surprise (SU_1 condition, 0 bits), anticipatory saccades were more often observed and pupil size was larger. However, these responses did not co-vary with surprise for values > 0 bits. In contrast, the latency of visually-guided saccades regularly increased in a logarithmic manner with increasing expected surprise. This trend could be interpreted as a particular instantiation of Hick's law. Unexpectedly, the maximum velocity of the same visually-guided saccades did not follow the same trend and was larger when surprise was 0 bits.

We suggest that the 'no expected surprise' condition (SU_1 condition, 0 bits) could have favored anticipation over a waiting strategy until stimulus appearance. The abrupt decrease of anticipatory responses observed for higher expected surprise values ($SU_{0.5}$, $SU_{0.33}$, $SU_{0.25}$) could be a consequence of a "Do not bet on the unknown" strategy reducing exploration⁴⁹. Indeed, not knowing precisely what could happen could activate behavioral inhibition, resulting in the suppression of behavior^{50,51}. Interestingly, the latency distribution of anticipatory saccades during the foreperiod was bimodal with an early and a late frequency peaks (Fig. 3A; see SU_1 condition). We suggest that the first mode of this distribution was constituted of premature impulsive saccades that were evoked by the extinction of the WS. Accordingly, their amplitude tended to be more variable. The second mode of the distribution was constituted of truly intentional anticipatory responses with the proper amplitude to reach one of the eccentric boxes. Moreover, the rate of anticipatory saccades in the second mode increased as time elapsed during the FP suggesting increasing temporal expectation of the IS. Responses in both modes were reduced for $SU > 0$ bits, suggesting a strong top-down inhibitory process.

Pupil size was also larger in the SU_1 condition. This finding is in agreement with previously published observations about pupil size and surprise²¹⁻²⁵ (see review in²⁶). However, in the present study, there was no gradual increase of pupil size with SU , suggesting that the SU_1 condition specifically increased arousal. The higher impact of SU_1 could also be due to the fact that the no surprise condition was globally less frequent than surprising conditions considered together (SU_1 , $P = 0.25$; $\{SU_{0.5}, SU_{0.33}, SU_{0.25}\}$, $P = 0.75$). Therefore, arousal could be inversely related to the probability density of the low uncertainty event. In summary, we suggest that the SU_1 condition was behaviorally more salient and increased arousal. As a consequence, pupil size increased and more anticipatory responses were evoked.

In contrast with anticipatory saccades and pupil size, the relationship between expected surprise and visually-guided saccade latency could be described using Hick's Law^{43,52} (see review in⁵³). In Hick's original experimental paradigm, human subjects had to associate a key on a keyboard with the spatial position of a visual target. This task requires the association between a set of stimuli and a set of responses that is characteristic of cognitive operations in general. Hick's law states that increasing

the number of response alternatives (uncertainty) will cause a logarithmic increase of reaction time. If a base 2 logarithm is used, HL provides a value in bits that can be interpreted as a measure of information transfer in Shannon's sense. Hick's law has been repeatedly observed in different sensorimotor modalities. So far, evidence suggests that visually-guided saccadic eye movements obey HL if there is a choice of a cued target amongst several alternatives⁵⁴ but it is not observed if saccades are simply visually-guided⁵⁵. In contrast, anti-saccades latency obeys HL probably because the stimulus-response mapping in this task requires the cognitive effort of suppressing a saccade to the visual target and aiming at the opposite position⁵⁵. We found that HL robustly fitted observed results. This observation was unexpected given that there was only one choice for the final response (the single visual target). Simply cuing expected surprise could have induced HL in saccadic latencies. Therefore, we suggest that HL could be observed even if there is no complex stimulus response mapping but just expected surprise in memory. Schneider and Anderson⁴⁸ suggested that HL could arise due to interferences during the retrieval of stimulus-responses associations from declarative memory in multiple-choice decision tasks. In the present study, the number of significant items during the cue presentation period necessarily increased with expected surprise potentially creating mnemonic interferences. However, in a control task with explicit retrieval from memory, no significant effect of set size on the accuracy of memory retrieval was found. Therefore, we suggest that in the present study not interferences during memory retrieval but expected surprise per se could explain observed effects.

In contrast with latency, saccadic maximum velocity as a function of SU could not be predicted with HL. In the oculomotor domain, the maximum velocity of saccadic eye movements is considered as a reliable indicator of arousal (review in^{56,57}). In the present study, peak eye velocity was maximum in the no surprise condition and then abruptly decreased for higher SUs. This result confirms the hypothesis of a central role of arousal (SU₁ condition) together with another process that manifests itself on visually-guided saccadic latencies for SU > 0 bits (SU_{0.5}, SU_{0.33}, SU_{0.25}). Recently, a relationship between pupil size and maximum eye velocity was found^{58,59}. A subcortical mechanism involving the superior colliculus ('SC') could explain this relationship given its role in determining both saccade metrics and pupil size (reviews in⁵⁹⁻⁶¹). One standard way to model decision processes in psychology is a random walk to a threshold. This approach has encountered enormous success in modelling multiple-choice tasks when there is progressive accumulation of sensory evidence^{45,62}. In the present study, there was no sensory evidence accumulation during the FP and only one choice. Therefore, we used a single threshold Poisson counting model that suggests that expected surprise could be encoded by the rate of rise of a decision signal (R_V/T_C model). This simple model predicted observed saccadic latencies with a variance accounted for (R²) of 0.09 that was higher than if a fixed threshold with a variable rate was postulated (R_C/T_V model). The observation that the R_V/T_C model yields HL is not in agreement with previous modelling studies of HL where a criterion adjustment was found to be more likely^{54,63}. Here also, this difference could be explained by the fact that there was no choice amongst several alternatives in the experimental design used here. In a context of cued expected surprise, HL could be observed even in a simple reaction time experiment with a single stimulus-response alternative. We dissociated surprise from complex stimulus-response mappings and nevertheless found HL (see⁶⁴).

In summary, the present study suggests two different processes involved in saccade preparation in a context of expected surprise: one related to arousal not obeying HL (pupil size, maximum velocity and anticipatory saccade occurrence) and the other one related to cognitive information processing obeying HL. We suggest that the arousal-related process could be partly determined by SC activity whereas the second process could explicitly encode expected surprise and be cortically controlled.

Data availability

The datasets generated during and/or analyzed during the current study are available from the corresponding author on reasonable request.

References

1. Friston, K. J., Kilner, J. & Harrison, L. A free-energy principle for the brain. *The J. Physiol. Paris* **100**, 70–87, DOI: <https://doi.org/10.1016/j.jphysparis.2006.10.001> (2006).
2. Teufel, C. & Fletcher, P. C. Forms of prediction in the nervous system. *Nat. Rev. Neurosci.* **21**, 231–242, DOI: <https://doi.org/10.1038/s41583-020-0275-5> (2020).
3. Wolpert, D. M. & Flanagan, J. R. Motor prediction. *Curr. Biol.* **11**, R729–R732, DOI: [https://doi.org/10.1016/S0960-9822\(01\)00432-8](https://doi.org/10.1016/S0960-9822(01)00432-8) (2001).

4. Loued-Khenissi, L. & Preuschoff, K. Information theoretic characterization of uncertainty distinguishes surprise from accuracy signals in the brain. *Front. Artif. Intell.* **3**, 5, DOI: <https://doi.org/10.3389/frai.2020.00005> (2020).
5. Land, M. & McLeod, P. From eye movements to actions: how batsmen hit the ball. *Nat. Neurosci.* **3**, 2893–2904, DOI: <https://doi.org/10.1038/81887> (2000).
6. Kowler, E. Cognitive expectations, not habits, control anticipatory smooth oculomotor pursuit. *Vis. Res.* **29**, 1049–1057, DOI: [https://doi.org/10.1016/0042-6989\(89\)90052-7](https://doi.org/10.1016/0042-6989(89)90052-7) (1989).
7. Barnes, G. R. & Asselman, P. T. The mechanism of prediction in human smooth pursuit eye movements. *J. Physiol.* **439**, 439–461, DOI: <https://doi.org/10.1113/jphysiol.1991.sp018675> (1991).
8. Missal, M. & Heinen, S. J. Supplementary eye fields stimulation facilitates anticipatory pursuit. *J. Neurophysiol.* **92**, 1257–1262, DOI: <https://doi.org/10.1152/jn.01255.2003> (2004).
9. Heinen, S. J., Badler, J. B. & Ting, W. Timing and velocity randomization similarly affect anticipatory pursuit. *J. Vis.* **5**, 493–503, DOI: <https://doi.org/10.1167/5.6.1> (2005).
10. Badler, J. B. & Heinen, S. J. Anticipatory movement timing using prediction and external cues. *J. Neurosci.* **26**, 4519–4525, DOI: <https://doi.org/10.1523/JNEUROSCI.3739-05.2006> (2006).
11. De Hemptinne, C., Lefèvre, P. & Missal, M. Influence of cognitive expectation on the initiation of anticipatory and visual pursuit eye movements in the rhesus monkey. *J. Neurophysiol.* **95**, 3770–3782, DOI: <https://doi.org/10.1152/jn.00007.2006> (2006).
12. Collins, C. J. S. & Barnes, G. R. Predicting the unpredictable: weighted averaging of past stimulus timing facilitates ocular pursuit of randomly timed stimuli. *J. Neurosci.* **29**, 13302–13314, DOI: <https://doi.org/10.1523/JNEUROSCI.1636-09.2009> (2009).
13. Montagnini, A., Souto, D. & Masson, G. Anticipatory eye-movements under uncertainty: a window onto the internal representation of a visuomotor prior [abstract]. *J. Vis.* **10**, 554, DOI: <https://doi.org/10.1167/10.7.554> (2007).
14. Kowler, E., Rubinstein, J. F., Santos, E. M. & Wang, J. Predictive smooth pursuit eye movements. *Annu. Rev. Vis. Sci.* **15**, 223–246, DOI: <https://doi.org/10.1146/annurev-vision-091718-014901> (2019).
15. Hsu, T. Y., Lee, H. C., Lane, T. J. & Missal, M. Temporal preparation, impulsivity and short-term memory in depression. *Front. Behav. Neurosci.* **13**, 258, DOI: <https://doi.org/10.3389/fnbeh.2019.00258> (2019).
16. Pfeuffer, C. U., Kiesel, A. & Huestegge, L. A look into the future: Spontaneous anticipatory saccades reflect processes of anticipatory action control. *J. Exp. Psychol. Gen.* **145**, 1530–1547, DOI: <https://doi.org/10.1037/xge0000224> (2016).
17. Pfeuffer, C. U., Aufschnaiter, S., Thomaschke, R. & Kiesel, A. Only time will tell the future: Anticipatory saccades reveal the temporal dynamics of time-based location and task expectancy. *J. Exp. Psychol. Hum. Percept. Perform.* **46**, 1183–1200, DOI: <https://doi.org/10.1037/xhp0000850> (2020).
18. Yu, A. J. & Dayan, P. Uncertainty, neuromodulation, and attention. *Neuron* **46**, 681–692, DOI: <https://doi.org/10.1016/j.neuron.2005.04.026> (2005).
19. Thiel, C. M. & Fink, G. R. Effects of the cholinergic agonist nicotine on reorienting of visual spatial attention and top-down attentional control. *Neuroscience* **152**, 381–390, DOI: <https://doi.org/10.1016/j.neuroscience.2007.10.061> (2008).
20. McDougal, D. H. & Gamlin, P. D. Autonomic control of the eye. *Compr. Physiol.* **5**, 439–473, DOI: <https://doi.org/10.1002/cphy.c140014> (2015).
21. Geng, J. J., Blumenfeld, Z., Tyson, T. L. & Minzenberg, M. J. Pupil diameter reflects uncertainty in attentional selection during visual search. *Front. Hum. Neurosci.* **9**, 435, DOI: <http://dx.doi.org/10.3389/fnhum.2015.00435> (2015).
22. Kloosterman, N. A. *et al.* Pupil size tracks perceptual content and surprise. *Eur. J. Neurosci.* **41**, 1068–1078, DOI: <https://doi.org/10.1111/ejn.12859> (2015).
23. Alamia, A., VanRullen, R., Pasqualotto, E., Mouraux, A. & Zenon, A. Pupil-linked arousal responds to unconscious surprisal. *J. Neurosci.* **39**, 3010–3018, DOI: <https://doi.org/10.1523/JNEUROSCI.3010-18.2019> (2019).
24. Preuschoff, K., Hart, B. M. & Einhauser, W. Pupil dilation signals surprise: evidence for noradrenaline’s role in decision making. *Front. Neurosci.* **5**, DOI: <https://doi.org/10.3389/fnins.2011.00115> (2011).
25. Lavin, C., San Martín, R. & E., R. J. Pupil dilation signals uncertainty and surprise in a learning gambling task. *Front. Behav. Neurosci.* **7**, 218, DOI: <https://doi.org/10.3389/fnbeh.2013.00218> (2014).
26. Zenon, A. Eye pupil signals information gain. *Proc. Royal Soc. B: Biol. Sci.* **286**, 1295–1306, DOI: <http://dx.doi.org/10.1098/rspb.2019.1593> (2019).

27. Rescorla, R. A. & Wagner, A. R. A theory of pavlovian conditioning: Variations in the effectiveness of reinforcement and nonreinforcement. In Black, A. H. & Prokasy, W. F. (eds.) *Classical conditioning II: Current research and theory*, 64–99 (Appleton-Century-Crofts., New York, 1972).
28. Sinclair, A. H. & Barense, M. D. Surprise and destabilize: prediction error influences episodic memory reconsolidation. *Learn. Mem.* **25**, 369–381, DOI: <https://doi.org/10.1101/lm.046912.117> (2018).
29. Barto, A., Mirolli, M. & Baldassarre, G. Novelty or surprise? *Front. Psychol.* **4**, 907, DOI: <https://doi.org/10.3389/fpsyg.2013.00907> (2013).
30. Munnich, E. L., Foster, M. I. & T., K. M. Editors' introduction and review: An appraisal of surprise: Tracing the threads that stitch it together. *Top. Cogn. Sci.* **11**, 37–49, DOI: <https://doi.org/10.1111/tops.12402> (2019).
31. Shannon, C. E. A mathematical theory of communication. *Bell Syst. Tech. J.* **27**, 623–656, DOI: <https://doi.org/10.1002/j.1538-7305.1948.tb01338.x> (1948).
32. Itti, L. & Baldi, P. Bayesian surprise attracts human attention. *Vis. Res.* **49**, 1295–1306, DOI: <https://doi.org/10.1016/j.visres.2008.09.007> (2009).
33. Ranganath, C. & Rainer, G. Neural mechanisms for detecting and remembering novel events. *Nat. Rev. Neurosci.* **4**, 193–202, DOI: <https://doi.org/10.1038/nrn1052> (2003).
34. Horstmann, G. & Herwig, A. Surprise attracts the eyes and binds the gaze. *Psychon. Bull. Rev.* **22**, 743–749, DOI: <https://doi.org/10.3758/s13423-014-0723-1> (2014).
35. Brunyé, T. T. & Gardony, A. L. Eye tracking measures of uncertainty during perceptual decision making. *Int. J. Psychophysiol.* **120**, 60–68, DOI: <https://doi.org/10.1016/j.ijpsycho.2017.07.008> (2017).
36. Forbes, S. Pupillometry: An r package for preparing and analysing pupillometry data. *J. Open Source Softw.* **5**, 2285, DOI: <https://doi.org/10.21105/joss.02285> (2013).
37. Maris, E. & Oostenveld, R. Nonparametric statistical testing of eeg- and meg-data. *J. Neurosci. Methods* **164**, 177–190, DOI: <https://doi.org/10.1016/j.jneumeth.2007.03.024> (2007).
38. Sassenhagen, D., J. nad Dejan. Cluster-based permutation tests of meg/eeg data do not establish significance of effect latency or location. *Psychophysiology* **56**, e13335, DOI: <https://doi.org/10.1111/psyp.13335> (2019).
39. Voeten, C. C. permutes: Permutation tests for time series data (2021). Available at <https://cran.rstudio.com/web/packages/permutes/permutes.pdf>, version 2.1.1.
40. Bates, D., Mächler, M., Bolker, B. & Walker, S. Fitting linear mixed-effects models using lme4. *J. Stat. Softw.* **67**, 1–48, DOI: <https://doi.org/10.18637/jss.v067.i01> (2006).
41. Snijders, T. & Bosker, R. *Multilevel Analysis: An Introduction to Basic and Advanced Multilevel Modeling* (Sage, London, 2011), 2 edn.
42. Brooks, M. E. *et al.* glmmTMB balances speed and flexibility among packages for zero-inflated generalized linear mixed modeling. *The R J.* **9**, 378–400, DOI: <https://doi.org/10.32614/RJ-2017-066> (2017).
43. Hick, W. E. On the rate of gain of information. *Q. J. Exp. Psychol.* **4**, 11–26, DOI: <https://doi.org/10.1080/17470215208416600> (1952).
44. Creelman, C. D. Human discrimination of auditory duration. *J. Acoust. Soc. Am.* **34**, 582–593, DOI: <https://doi.org/10.1121/1.1918172> (1962).
45. Simen, P., Vlasov, K. & Papadakis, S. Scale (in)variance in a unified diffusion model of decision making and timing. *Psychol. Rev.* **123**, 151–181, DOI: <https://doi.org/10.1037/rev0000014> (2016).
46. Simen, P. Chapter 8 reaction time analysis for interval timing research. In Vatakis, A., Balci, F., Di Luca, M. & Correa, A. (eds.) *Timing and Time Perception: Procedures, Measures, and Applications*, DOI: https://doi.org/10.1163/9789004280205_009 (The Netherlands: Brill, Leiden, 2018).
47. Simen, P. Poisson_countermodel [source code] (2017). Code available at <https://github.com/ArgiroVat/Timing-and-Time-Perception-Book/blob/master/Chapter8.zip>.
48. Schneider, D. W. & Anderson, J. R. A memory-based model of hick's law. *Cogn. Psychol.* **62**, 193–222, DOI: <https://doi.org/10.1016/j.cogpsych.2010.11.001> (2011).
49. Payzan-LeNestour, E. & Bossaerts, P. Do not bet on the unknown versus try to find out more: estimation uncertainty and “unexpected uncertainty” both modulate exploration. *Front. Neurosci.* **6**, 150, DOI: <https://doi.org/10.3389/fnins.2012.00150> (2012).

50. Gray, J. A. The behavioural inhibition system: a possible substrate for anxiety. In Feldman, M. P. & Broadhurst, A. M. (eds.) *Theoretical And Experimental Bases of Behaviour Modification*, 3–41 (Wiley, London, 1976).
51. Gray, J. A. & McNaughton, N. *The Neuropsychology of Anxiety: An Enquiry Into the Functions of The Septo-hippocampal System* (Wiley, London, 2006), 2 edn.
52. Hyman, R. Stimulus information as a determinant of reaction time. *J. Exp. Psychol.* **45**, 188–196, DOI: <https://doi.org/10.1037/h0056940> (1953).
53. Proctor, R. W. & Schneider, D. W. Hick's law for choice reaction time: A review. *Q. J. Exp. Psychol.* **71**, 1281–1299, DOI: <https://doi.org/10.1080/17470218.2017.1322622> (2018).
54. Lee, K. M., Keller, E. L. & Heinen, S. J. Properties of saccades generated as a choice response. *Exp. Brain Res.* **162**, 278–286, DOI: <https://doi.org/10.1007/s00221-004-2186-5> (2005).
55. Kveraga, K., Boucher, L. & Hughes, H. Saccades operate in violation of hick's law. *Exp. Brain Res.* **146**, 307–314, DOI: <https://doi.org/10.1007/s00221-002-1168-8> (2002).
56. DiStasi, L. L., Catena, A., Cañas, J. J., Macknik, S. L. & Martinez-Conde, S. Saccadic velocity as an arousal index in naturalistic tasks. *Neurosci. Biobehav. Rev.* **37**, 968–975, DOI: <https://doi.org/10.1016/j.neubiorev.2013.03.011> (2013).
57. DiGirolamo, G. J., Patel, N. & Blaukopf, C. L. Arousal facilitates involuntary eye movements. *Exp. Brain Res.* **234**, 1967–1976, DOI: <https://doi.org/10.1007/s00221-016-4599-3> (1962).
58. Cherng, Y. G., Baird, T., Chen, J. T. & Wang, C. A. Background luminance effects on pupil size associated with emotion and saccade preparation. *Sci. Reports* **10**, 15718, DOI: <https://doi.org/10.1038/s41598-020-72954-z> (2020).
59. Wang, C. A., Nguyen, K. T. & H., J. C. Linking pupil size modulated by global luminance and motor preparation to saccade behavior [in press]. *Neuroscience* DOI: <https://doi.org/10.1016/j.neuroscience.2021.09.014> (2021).
60. Gandhi, N. J. & Katnani, H. A. Background luminance effects on pupil size associated with emotion and saccade preparation. *Annu. Rev. Neurosci.* **34**, 205–231, DOI: <https://doi.org/10.1146/annurev-neuro-061010-113728> (2011).
61. Wang, C. A. & Munoz, D. P. A circuit for pupil orienting responses: implications for cognitive modulation of pupil size. *Curr. Opin. Neurobiol.* **33**, 134–140, DOI: <https://doi.org/10.1016/j.conb.2015.03.018> (2015).
62. Ratcliff, R., Smith, P. L., Brown, S. D. & McKoon, G. Diffusion decision model: Current issues and history. *Trends Cogn. Sci.* **20**, 260–281, DOI: <https://doi.org/10.1016/j.tics.2016.01.007> (2016).
63. Usher, M. & McClelland, J. L. The time course of perceptual choice: the leaky, competing accumulator model. *Psychol. Rev.* **108**, 550–592, DOI: <https://doi.org/10.1037/0033-295X.108.3.550> (2001).
64. Dassonville, P., Lewis, S. M., Foster, H. E. & Ashe, J. Choice and stimulus–response compatibility affect duration of response selection. *Cogn. Brain Res.* **7**, 235–240, DOI: [https://doi.org/10.1016/S0926-6410\(98\)00027-5](https://doi.org/10.1016/S0926-6410(98)00027-5) (1999).

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Author contributions statement

M.M. and D.D. conceived the experiment, D.D. conducted the experiment, M.M. and D.D. analysed the results. All authors reviewed the manuscript.

Additional information

Competing interests

The authors declare no competing financial and non-financial interests.

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